

Spin-wave dynamics in FeGe in fully polarized state measured by means of small-angle neutron scattering

Sven-Arne Siegfried

- I. introduction
- II. pol. measurements on MnSi
- III. non-pol. measurements on FeGe
- IV. summary

Involved persons

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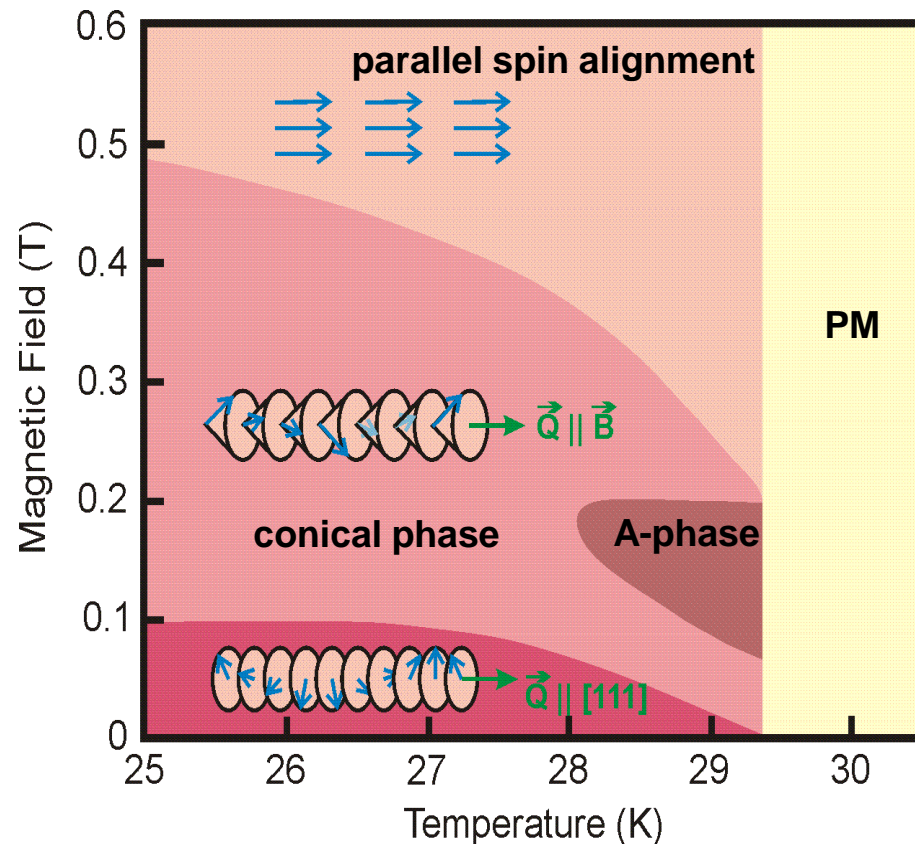
S. V. Grigoriev
A. S. Sukhanov
E. V. Altynbayev
S. V. Maleyev



D. Honnecker

introduction

Magnetic phase diagram of MnSi [1]



- ferromagnetic exchange interaction J
- Dzyaloshinsky-Moriya interaction D
- anisotropic exchange interaction
- cubic anisotropy

Bak & Jensen
(1980)

Nakanishi, et al.
(1980)

Grigoriev, et al.
(2015)

	MnSi	FeGe
T_{ord}	~29 K	~278 K
$\lambda_s = 2\pi/ k_s $	~18 nm	~70 nm
anisotropy → pinning	<111>	<100> _{211□/245□K < T < T_{ord}} <111> _{T < 211□/245□K}
H_{c1}	~0.1 T	~0.1 T
H_{c2}	~0.6 T	~0.3 T
mag. mom	~0.4 μ_B	~1.0 μ_B

[1] D. Menzel et al., ICM 2012.

MnSi – SW in the FM state

$$\theta_C^2(H) = \theta_0^2 - \frac{\theta_0}{E_i} H + \theta_B^2.$$

Θ_c – cut-off angle

$\Theta_0 = (2 A m_n)^{-1}$, $m_n = 1.674 \dots 10^{-27}$ kg

Θ_B – Bragg angle

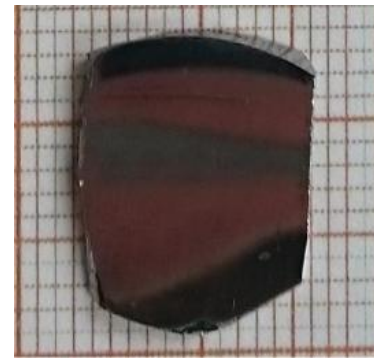
E_i – energy of the incident neutron

H – applied magnetic field

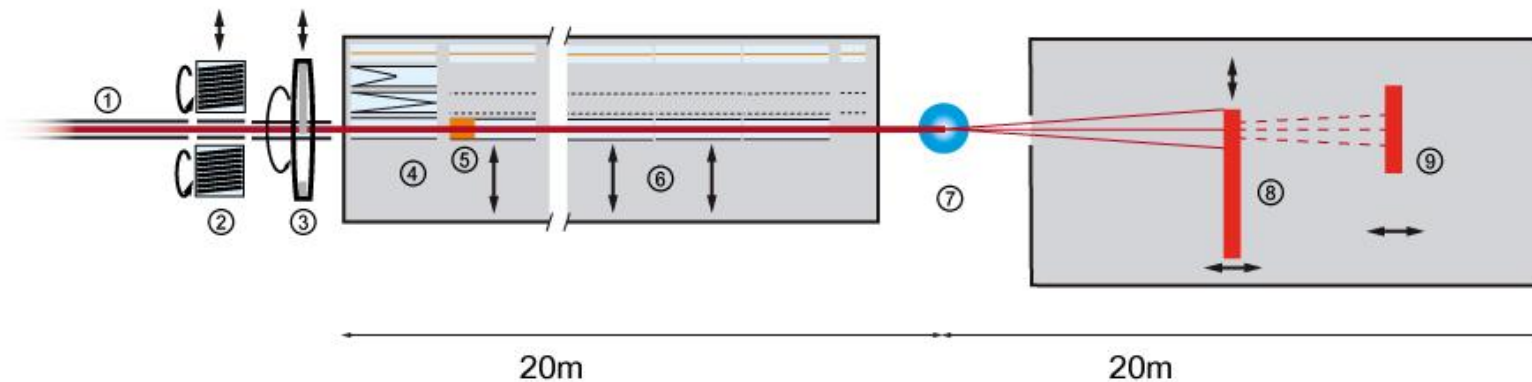
- chiral scattering from SW appears within the circle with radius Θ_c , centered at Θ_B
- possibility to extract spinwave stiffness A from the measured cut-off angle

MnSi – SW in the FM state

➤ large single crystals available

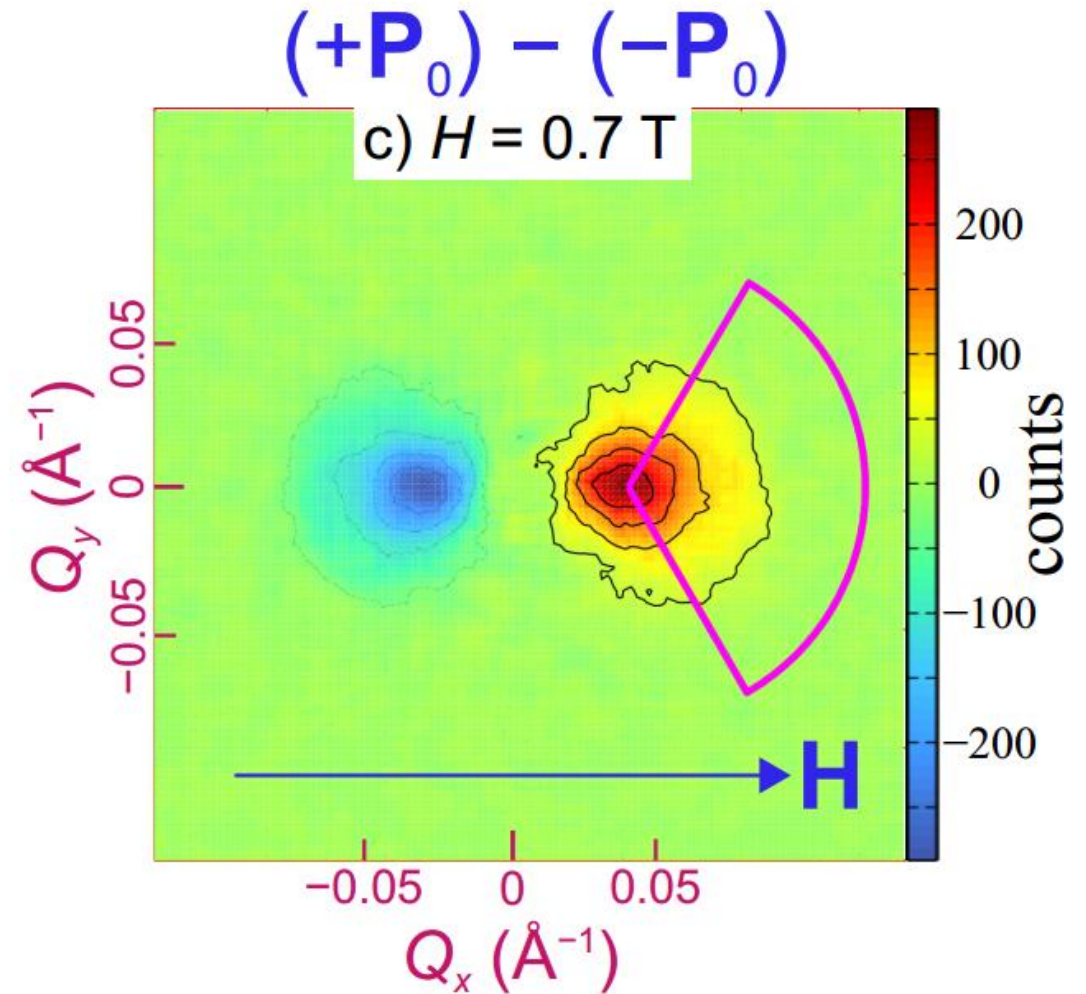
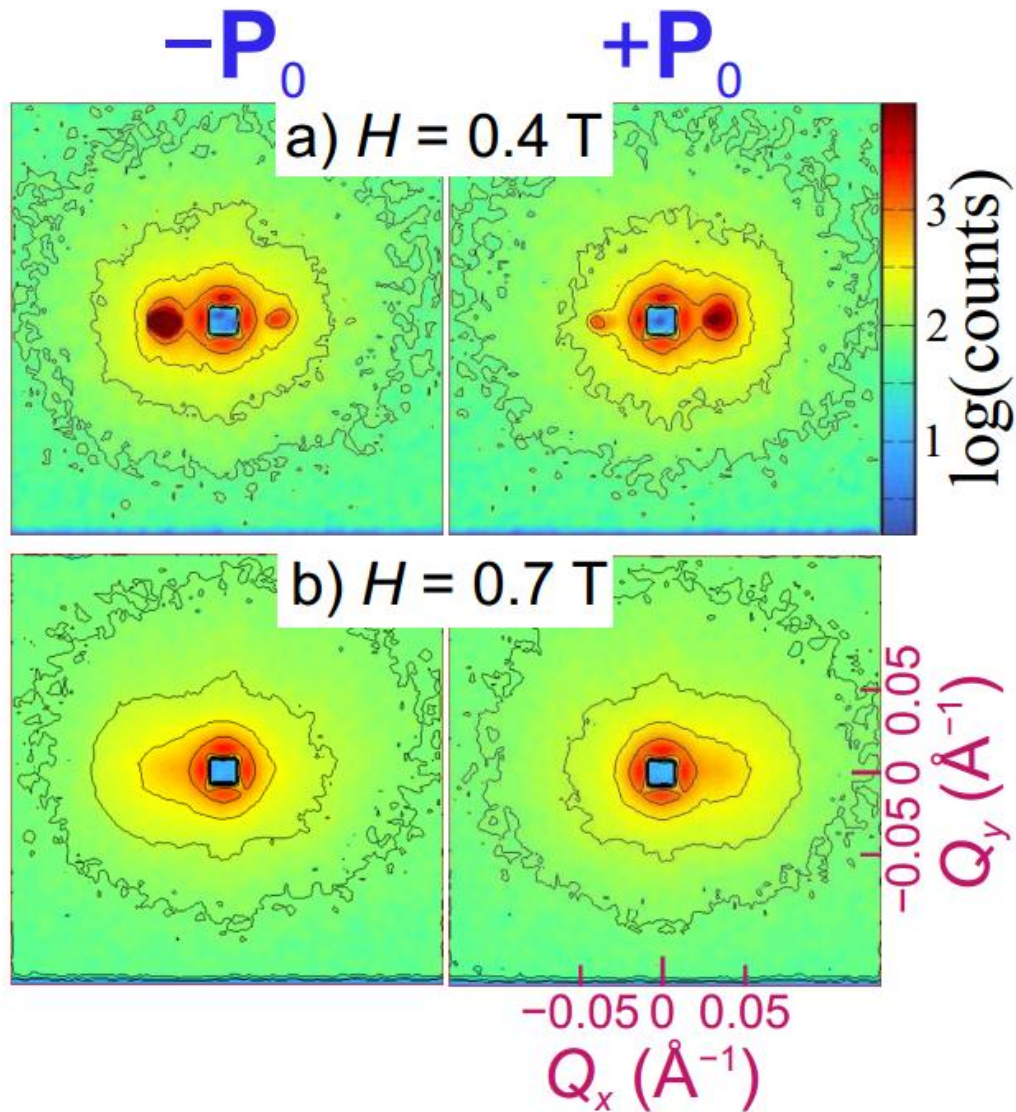


➤ SANS-1 at the MLZ Garching, Germany



- | | |
|--|--|
| ① Neutron guide NL4a | ⑦ Sample position |
| ② Velocity selector 1+2 | ⑧ Position sensitive area detector, 1 x 1 m ² |
| ③ TISANE Chopper | ⑨ High resolution position-sensitive area detector, 0.5 x 0.5 m ² (installation 2016) |
| ④ Changeable polarisers | |
| ⑤ Spin flipper | |
| ⑥ 4 collimation sections 19 m (neutron guide, collimation slits) | |

MnSi – SW in the FM state

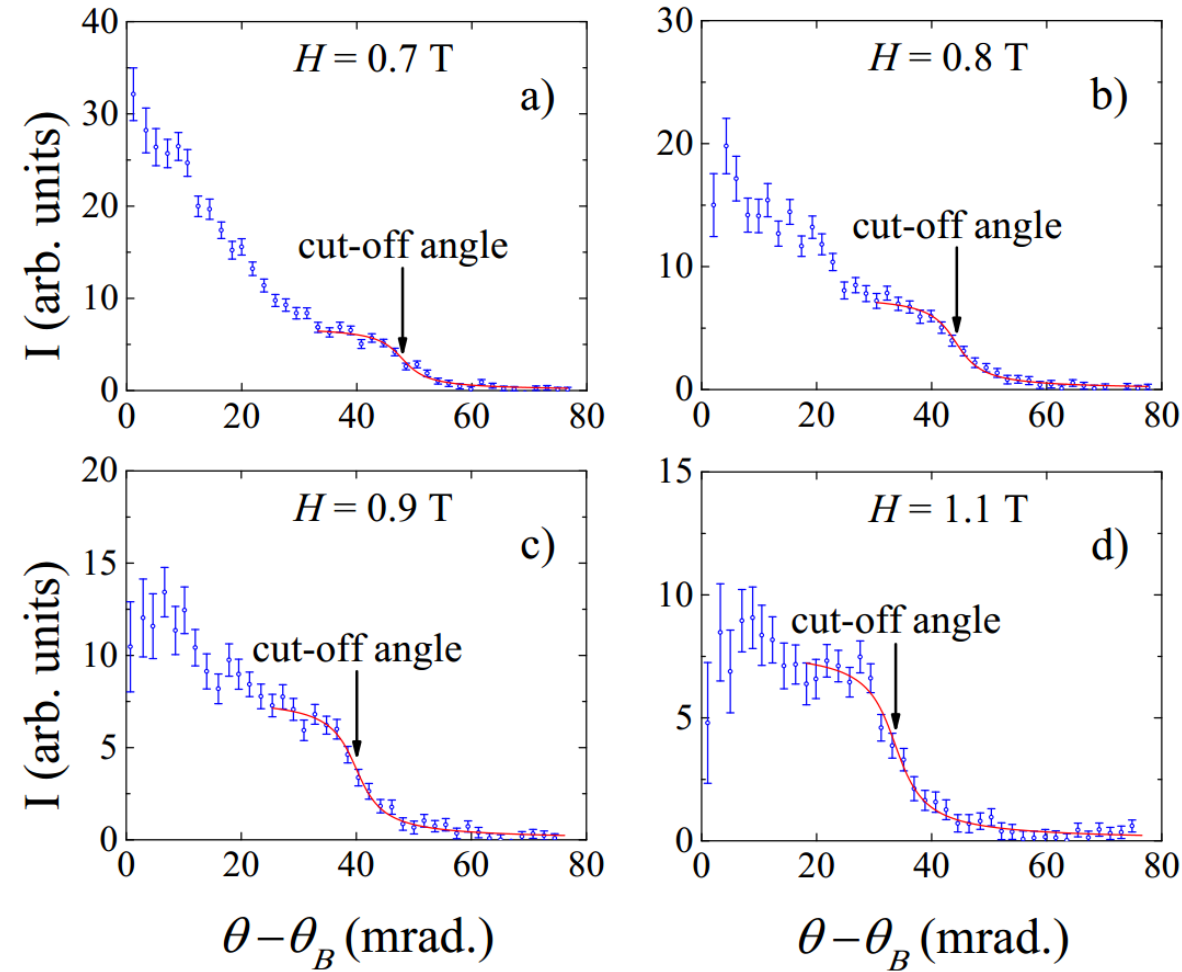


➤ 15K

S. V. Grigoriev, et al., Phys. Rev. B(R), accepted.

- subtraction of left and right SANS patterns
- radial average over 120° to improve statistic

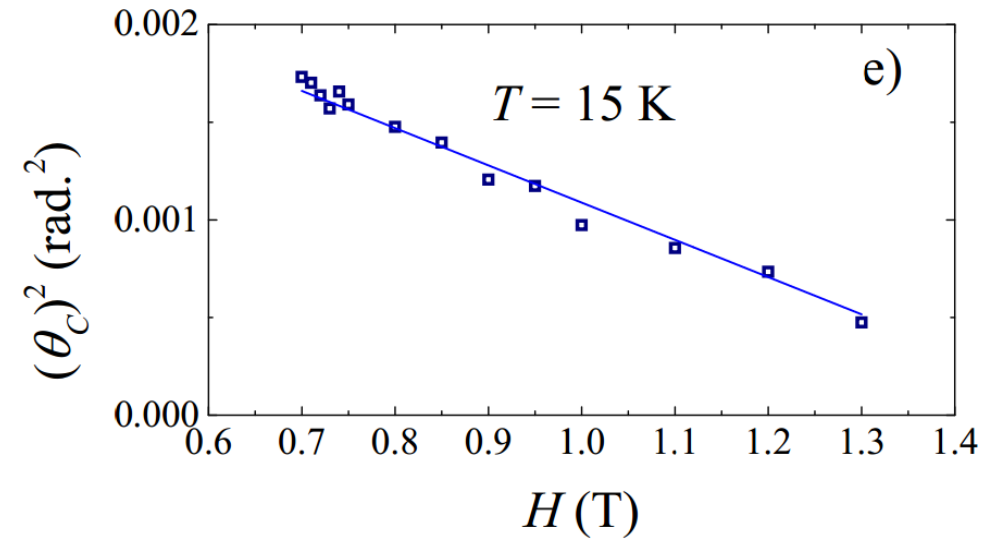
MnSi – SW in the FM state



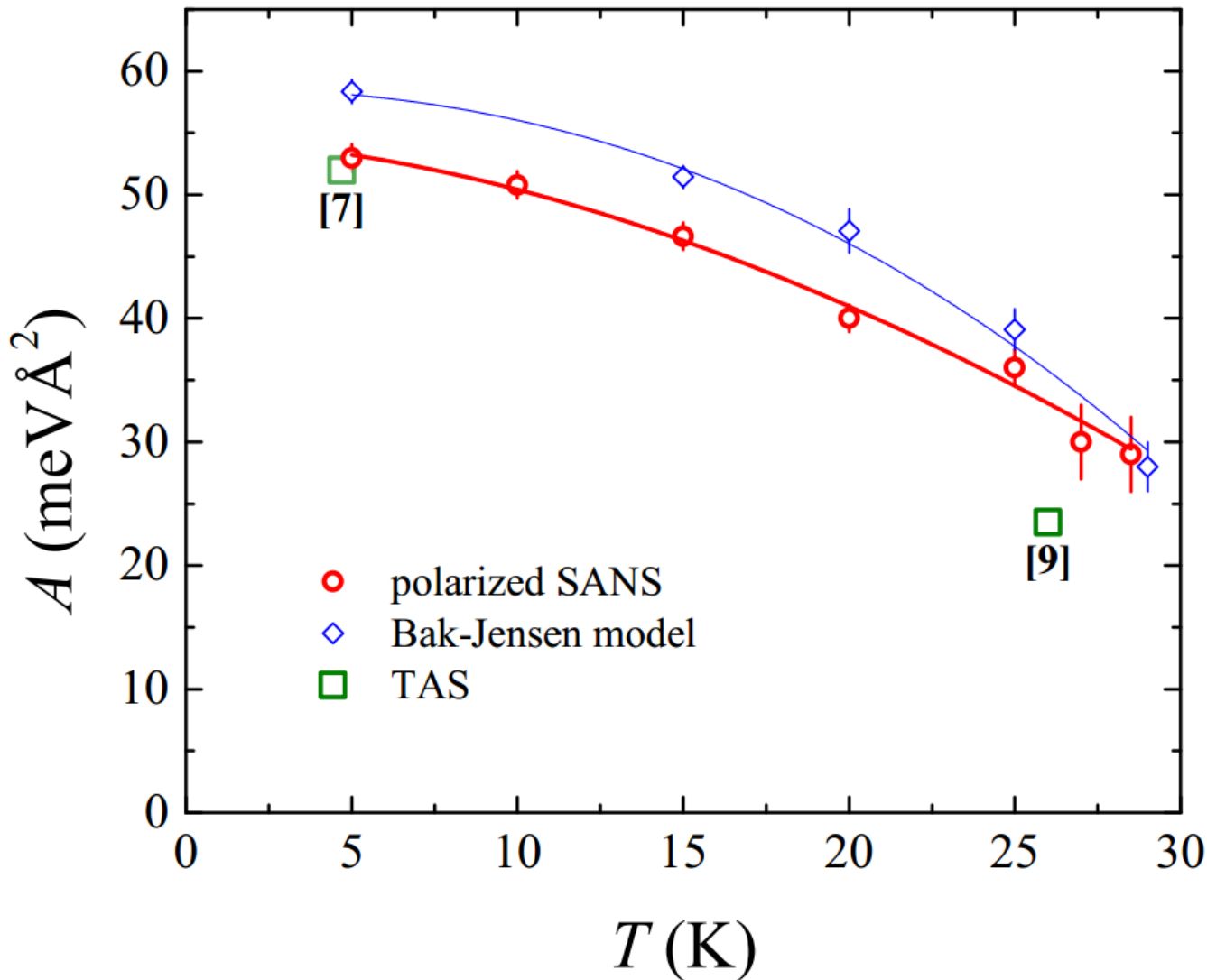
$$1/2 - (1/\pi) \arctan(2(\theta - \theta_c)/\delta)$$

δ - sw damping

Θ_c – center of arctan-function



MnSi – SW in the FM state



$$A(T) = A_0 (1 - c (T/T_c)^z)$$

$$z = 1.8 \pm 0.3$$

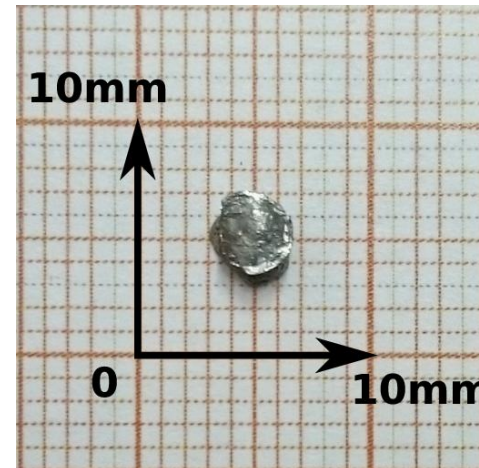
$$A_0 = 0.054 \text{ meVÅ}^2$$

$$c = 0.47$$

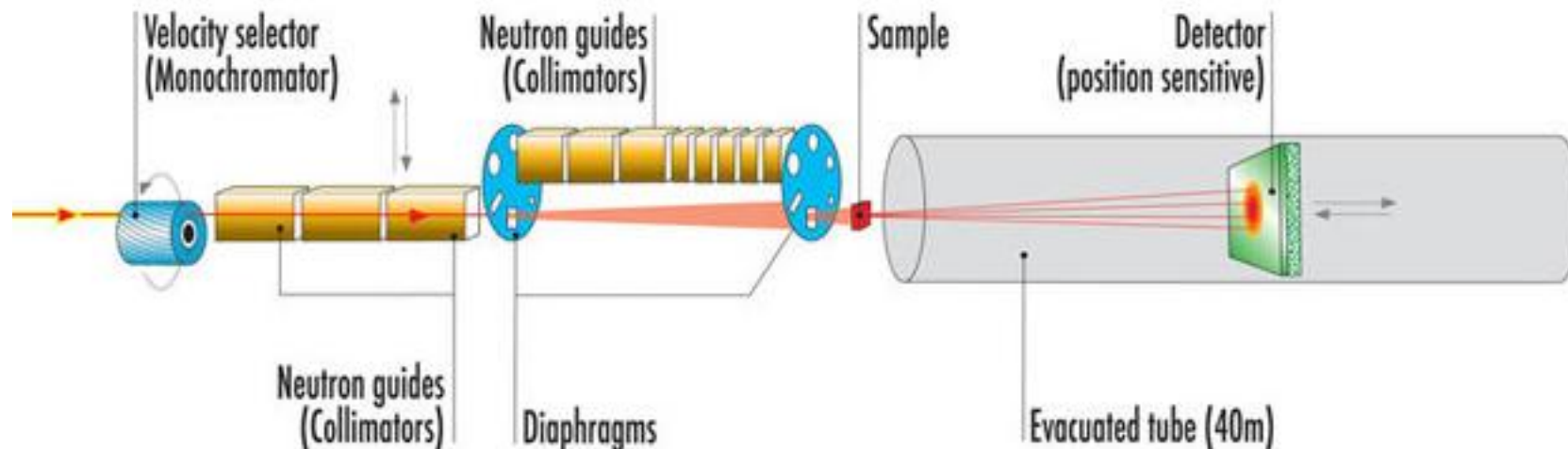
Bak-Jensen-model:
 $g\mu_B H_{c2} = A k_s^2$
 \rightarrow cubic anisotropy

FeGe – SW in the FM state

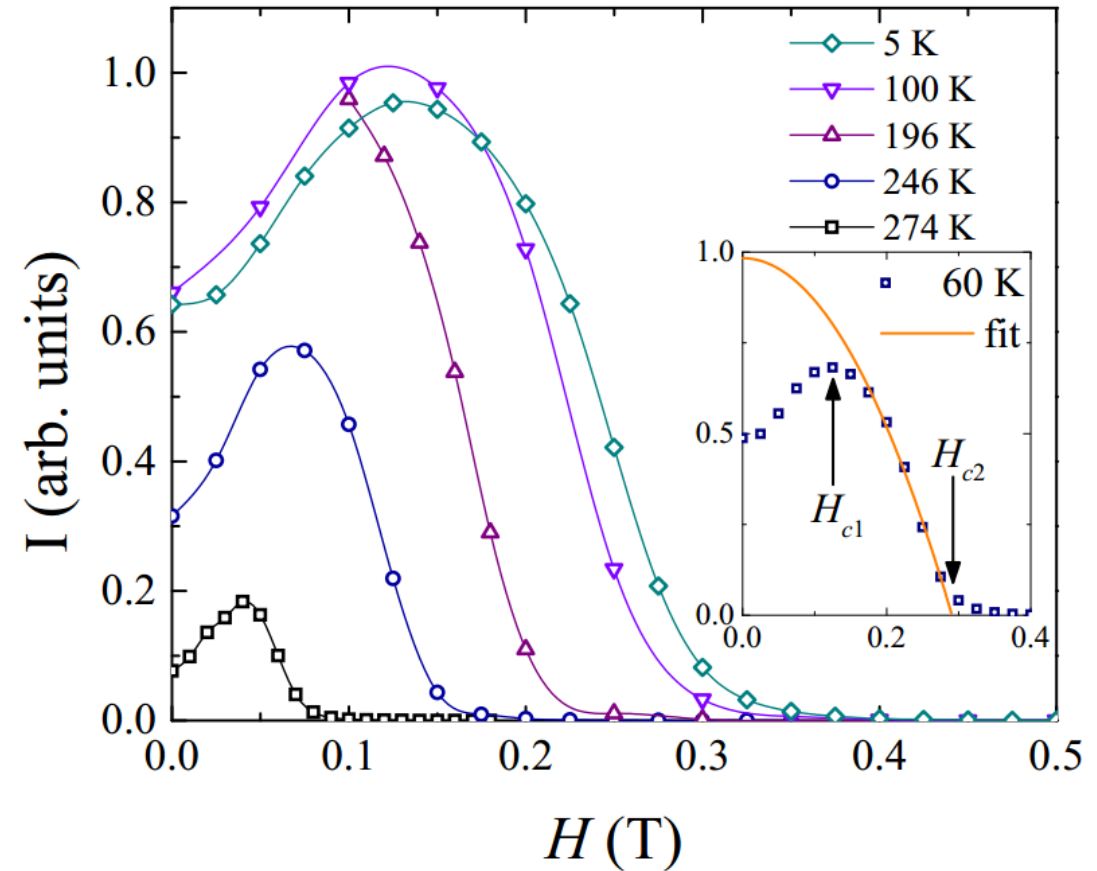
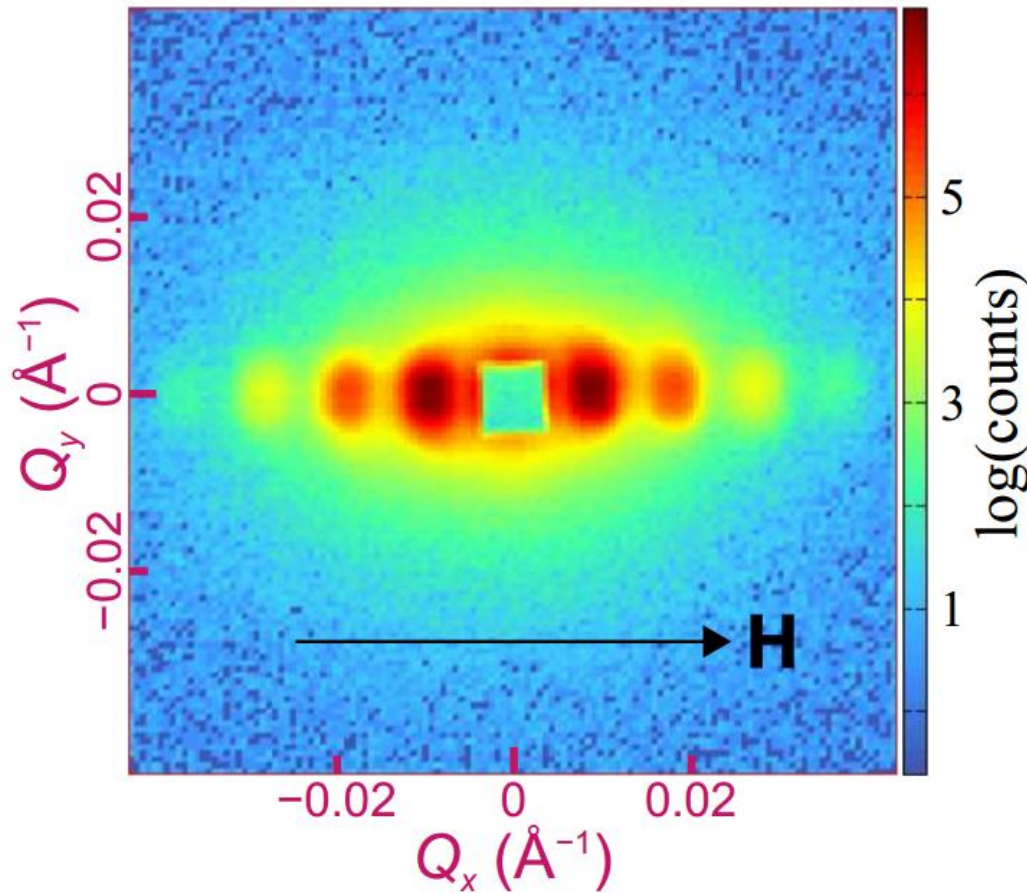
- no large single crystals available
- just powder samples



- D11 at the ILL Grenoble, France

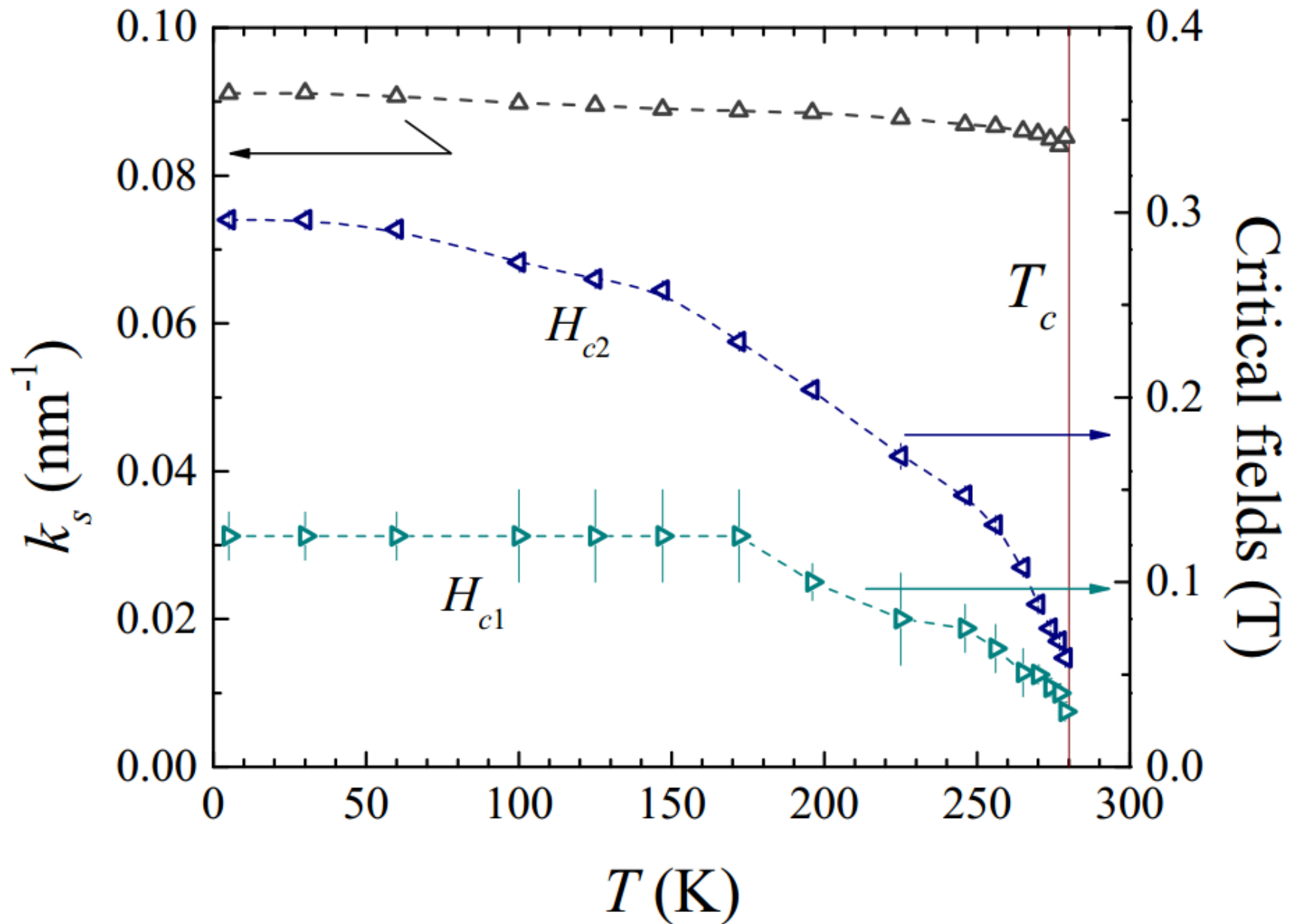


FeGe – SW in the FM state

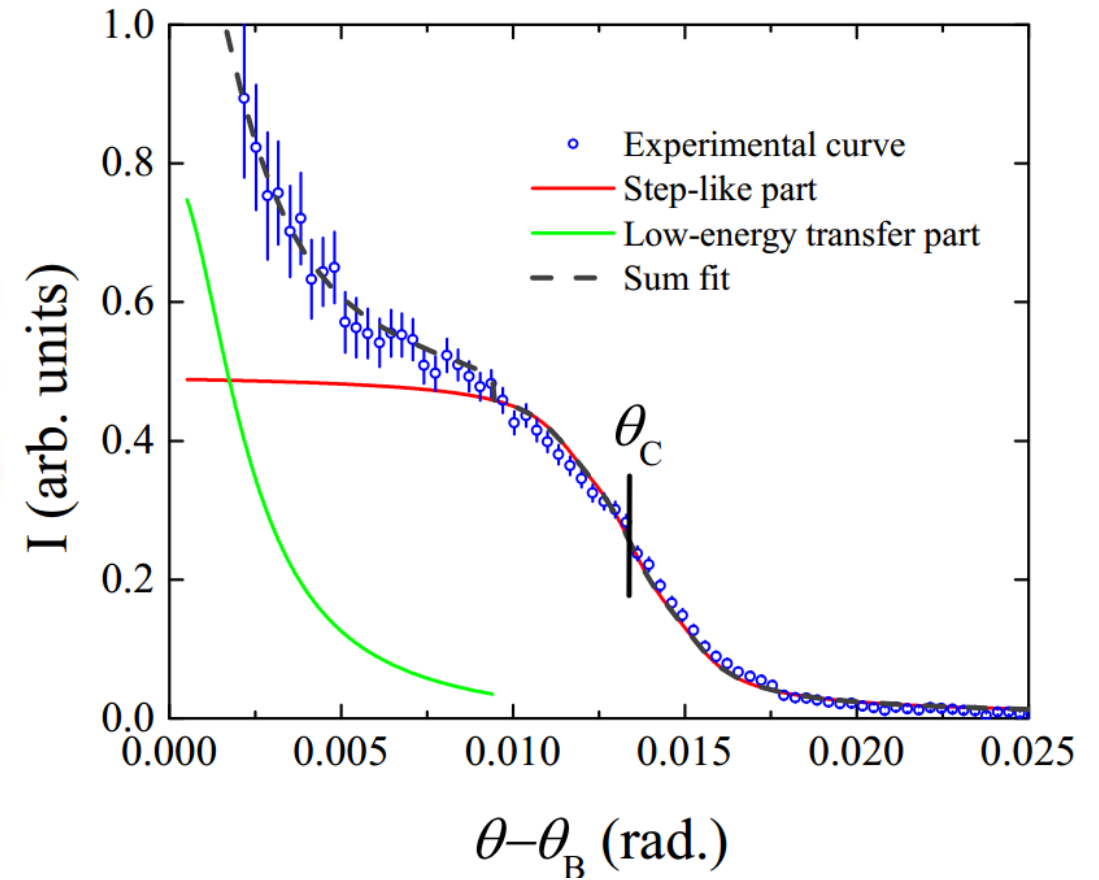
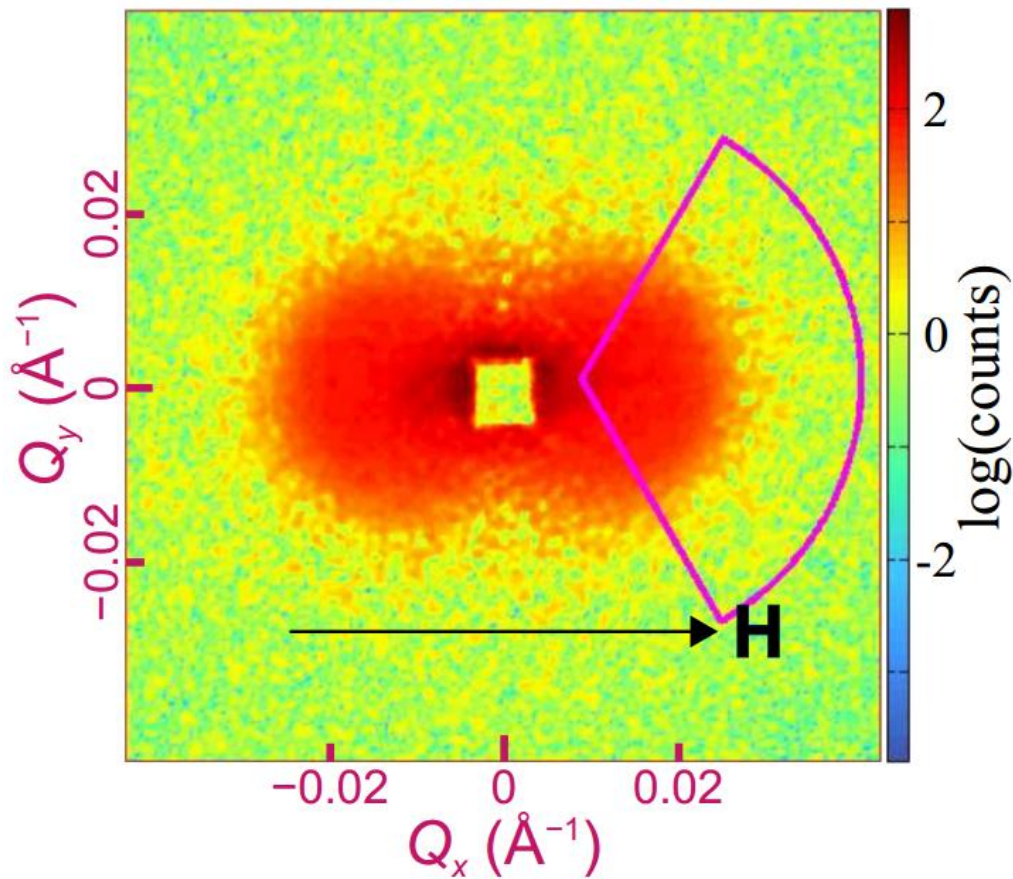


- $T = 250 \text{ K}$
- $H = 0.075 \text{ T}$ ($\sim H_{c1}$)

FeGe – SW in the FM state

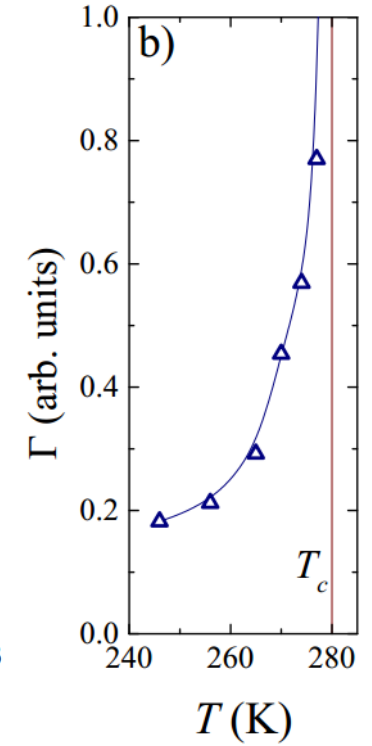
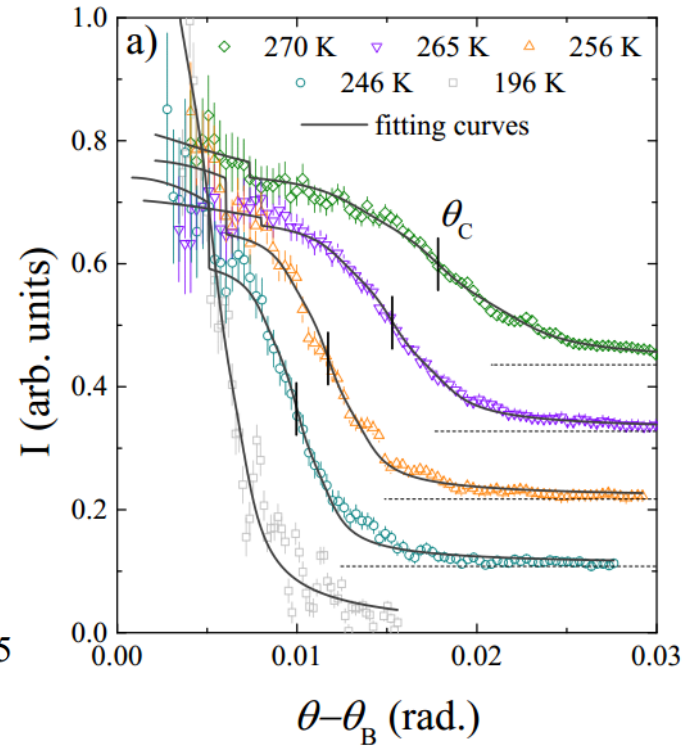
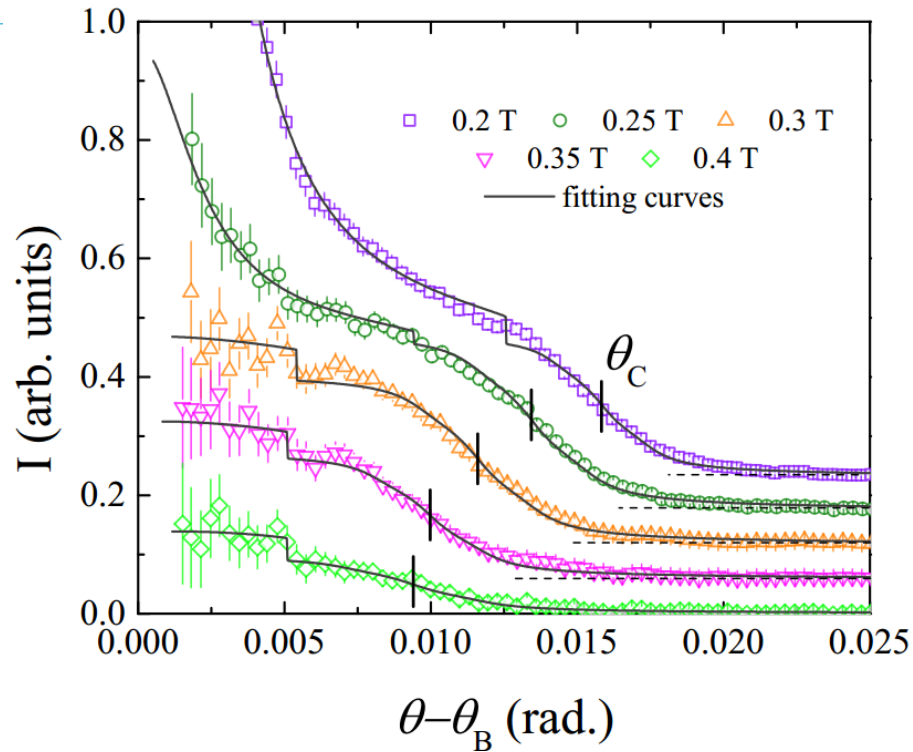


FeGe – SW in the FM state



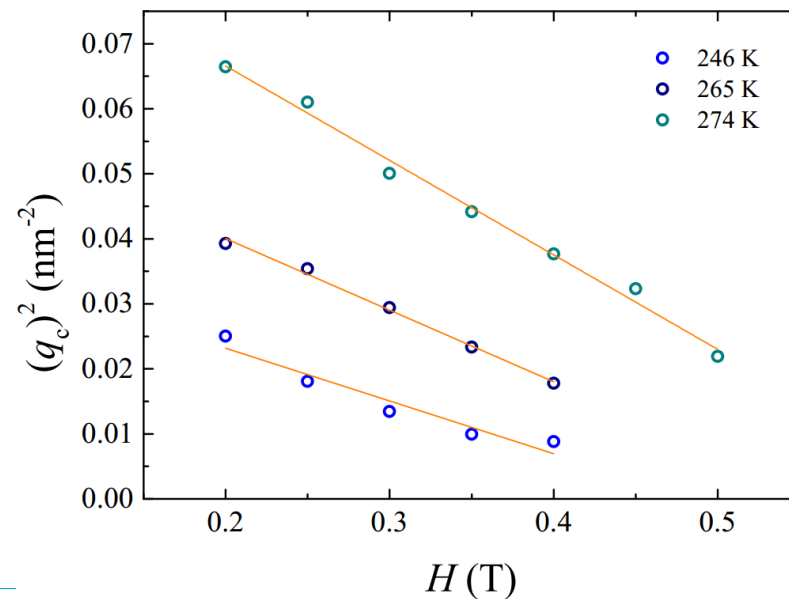
- $T = 246$ K
- $H = 0.25$ T ($>H_{c2}$)

FeGe – SW in the FM state

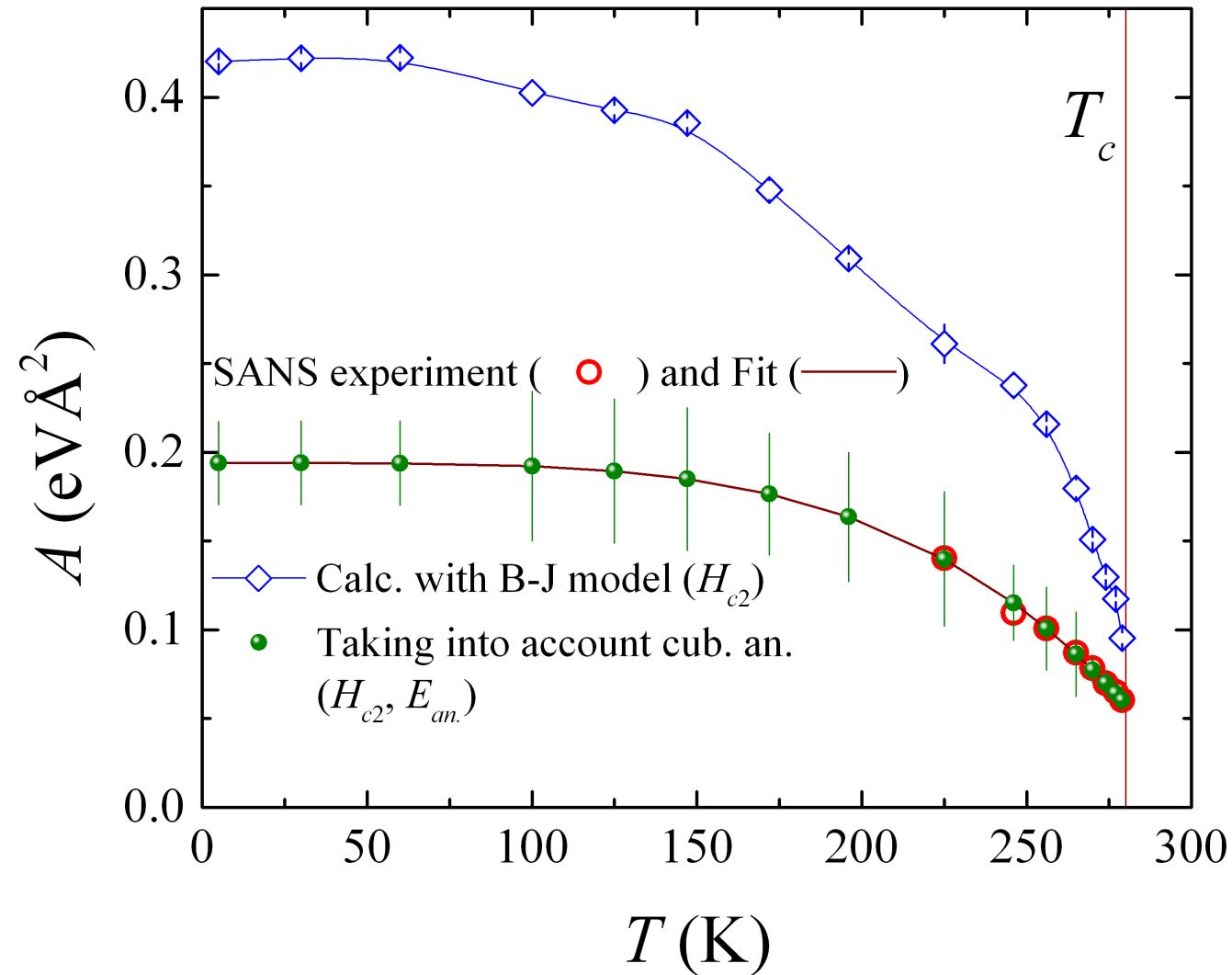


➤ $T = 246$ K

➤ $H = 0.35$ T ($>H_{c2}$)



FeGe – SW in the FM state



$$H_{c2} = Ak_s^2 + \beta \left(\frac{Ak_s^2}{10K S_\xi^3} \right) H_{c1}$$

Similar correction of ~5% for MnSi

Conclusion

➤ summary:

- exp. proof of the dispersion relation for helimagnets with DM interaction
- chirality of DM helimagnets one handed excitations in FP state above H_{c2}
- pointed out role of the cubic anisotropy
- polarization 'not always necessary' 😊

➤ outlook:

- many more DM helimagnets to measure...

Thank you for your attention