



# Школа Поляризованных Нейтронов 2016

## Магнитно-электронное фазовое разделение выше $T_c$ в $\text{Sm}_{0.32}\text{Pr}_{0.18}\text{Sr}_{0.5}\text{MnO}_3$ манганите.

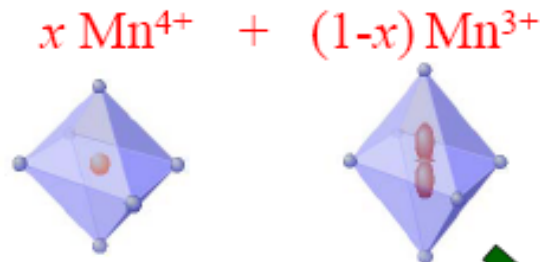
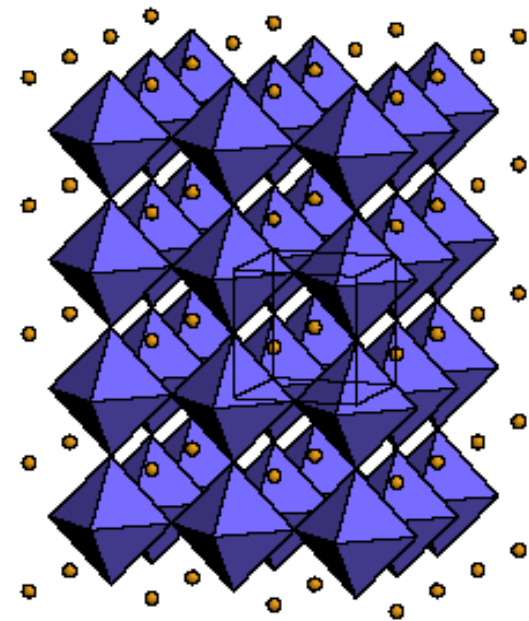
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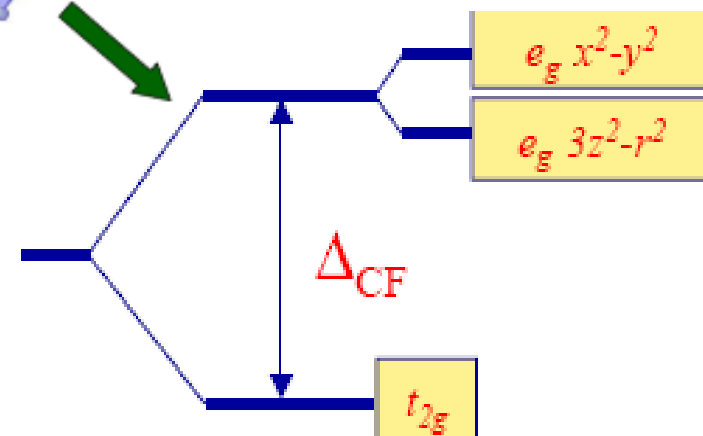
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# Mixed-valence manganites

- The doped manganites  $\text{La}_{1-x}\text{A}_x\text{MnO}_3$  consist of a 3D network of corner-sharing  $\text{MnO}_6$  octahedra located at the nodes of a simple cubic lattice with La(A) in a center of unit cell [M. Pissas et al. Phys. Rev. B **72**, 064425 (2005)].
- The CMR is largest just near the ferromagnetic transition temperature.



Jahn-Teller provides distortions of  $\text{MnO}_6$  octahedra, which effect essentially on structure, probability of  $e_g$ -electron hopping as well as create prerequisites for orbital ordering formation.



**Jahn-Teller Polarons**

# Motivation of magneto-electronic phase separation study

Effect of CMR in  $\text{Ln}_{1-x}\text{A}_x\text{MnO}_3$  (Ln=La,Pr,Sm; A=Ca,Sr...) perovskite manganites is observed near P-FM transition, both in compounds with insulator (I) and metallic (M) ground states. Magnetic field can change phase equilibrium or temperature of phase transition. The huge change by field of sample resistance  $R$  suggests the presence of conductive M phase in it.

**Magneto-electronic phase separation (MEPS) provides origination of FM-ordered clusters with M properties above  $T_C$  embedded in P-I matrix  $\rightarrow$  heterogeneous magnetic state.**

**Amount of clusters depends strongly on level of doping,  $x$ .** At approaching their concentration to percolation limit *I-M phase transition* occurs.

So, to insight in physics of manganites one needs to study the details *MEPS and its connection with P-FM, and correlation with structure evolution*

**The compounds near half doping are of special interest since they exhibit orbital/charge ordering (OO, CO) followed by AFM ordering that can dramatically effect the MEPS.**

## Compounds under study

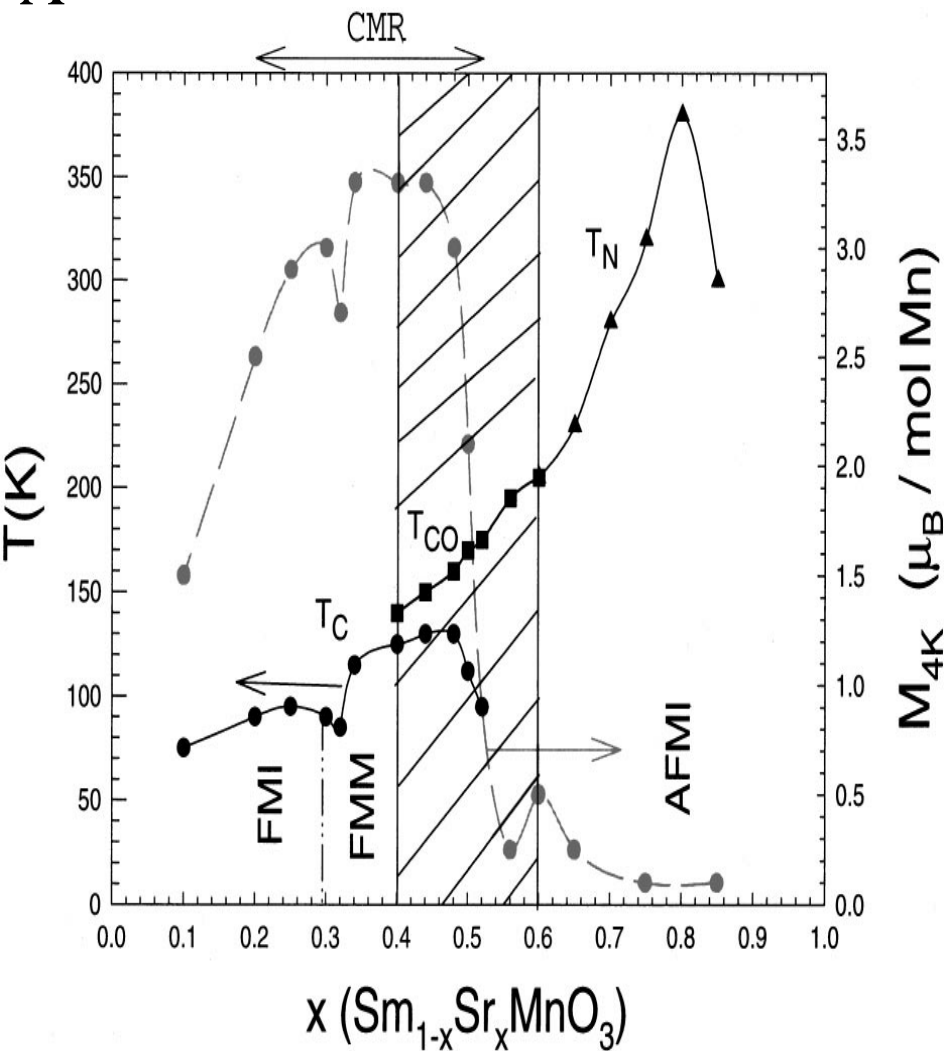
Powdered CMR manganite  $\text{Sm}_{0.32}\text{Pr}_{0.18}\text{Sr}_{0.5}\text{MnO}_3$  (doping  $\text{Sm}^{3+} \rightarrow \text{Sr}^{2+}$  mixed-valence state, large bandwidth  $W$ ): **main goal of this study is to clarify an effect of isovalent substitution  $\text{Sm} \rightarrow \text{Pr}$  and introduced by it additional disorder on MEPS in comparison with earlier investigated by us  $\text{Sm}_{0.5}\text{Sr}_{0.5}\text{MnO}_3$  [PRB 72 (2005) 184432].**

• **SPSMO: no IMT, MEPS from  $T^* > 307\text{K} > T_C \sim 125\text{K}$ ;  $T_{\text{AF-A}} \sim 175\text{K}$ ;  $T_{\text{AF-CE}} \sim 125\text{K}$ ;  $T_{\text{st}} \sim 170\text{K}$ , its structure was studied earlier [Поверхность №6 (2015) 5].**

• **SSMO:  $T_{\text{IM}} \sim 54\text{K}$ , MEPS from  $T^* > 311\text{K} > T_C \sim 110\text{K}$ ;  $T_{\text{AF-A}} \sim 135\text{K}$ ,  $T_{\text{st}} \sim 135\text{K}$ .**

• **Both crystals exhibit CMR and reveal heterogeneous magnetic state consisting of FM metallic clusters embedded in P matrix, which originates above  $T_C$  in a result of MEPS.**

A



B

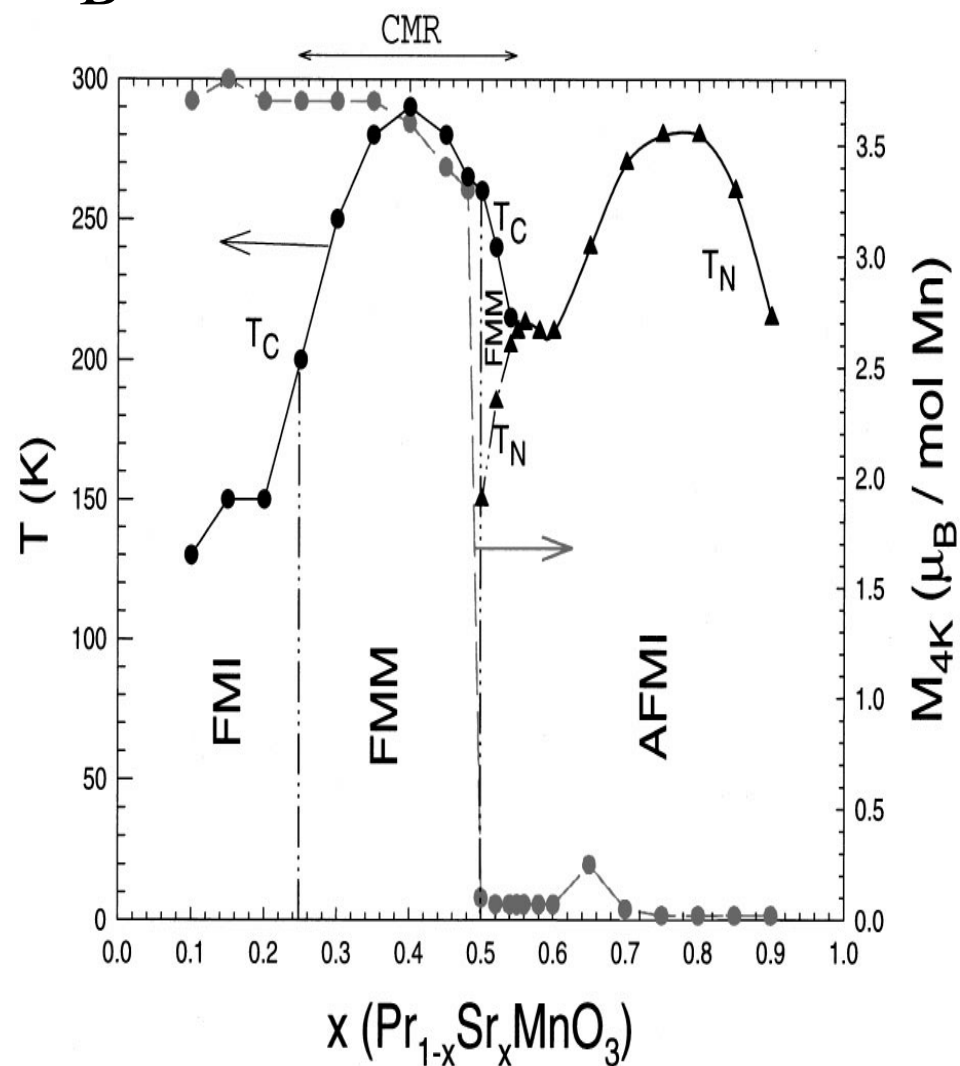
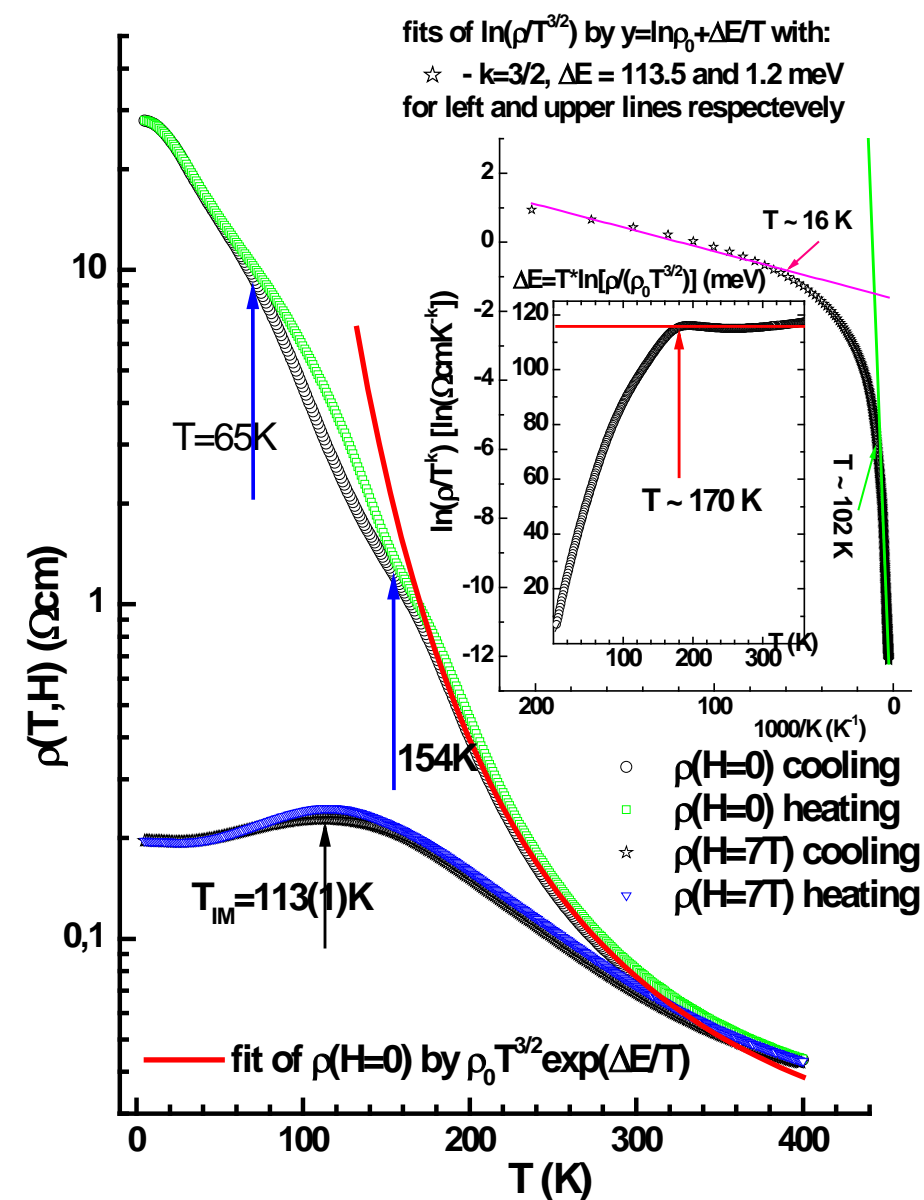
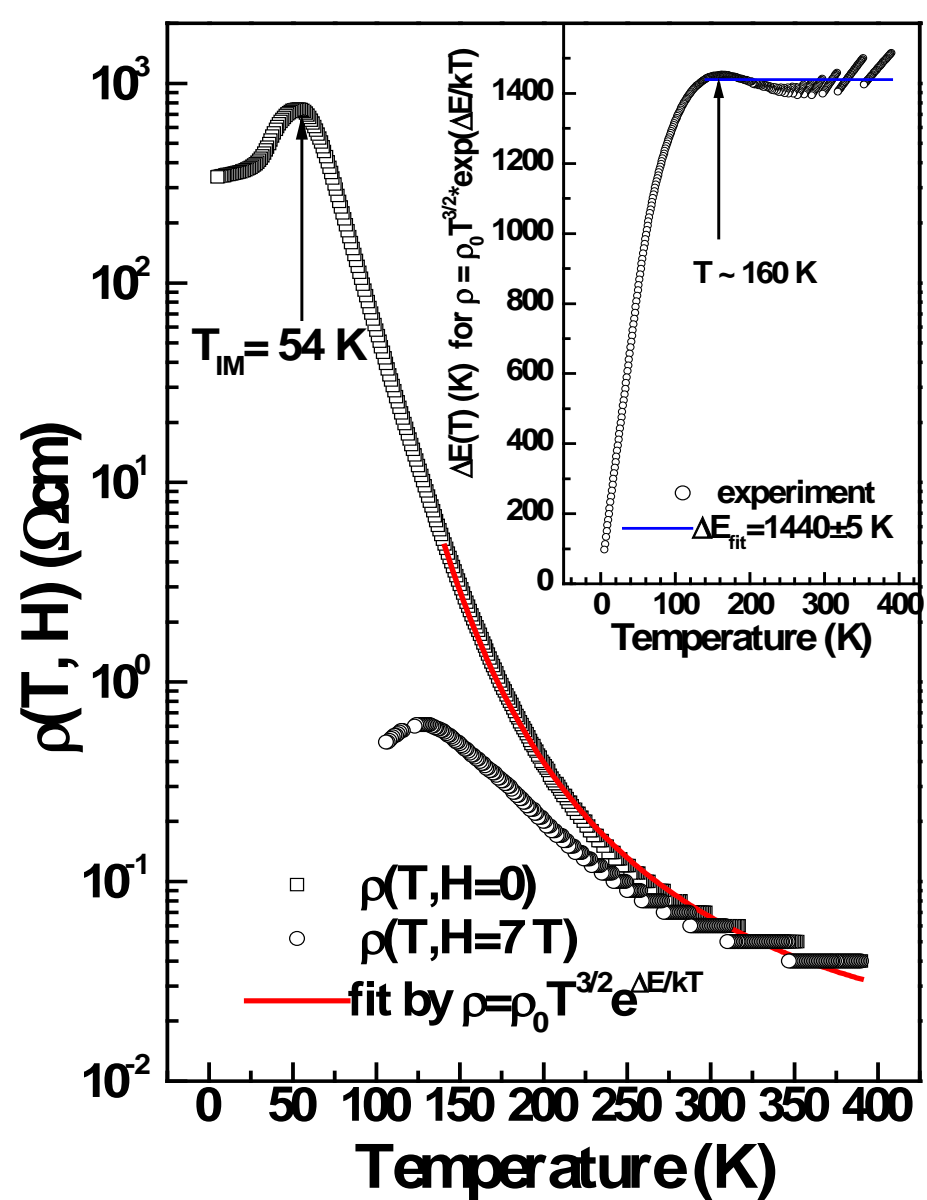


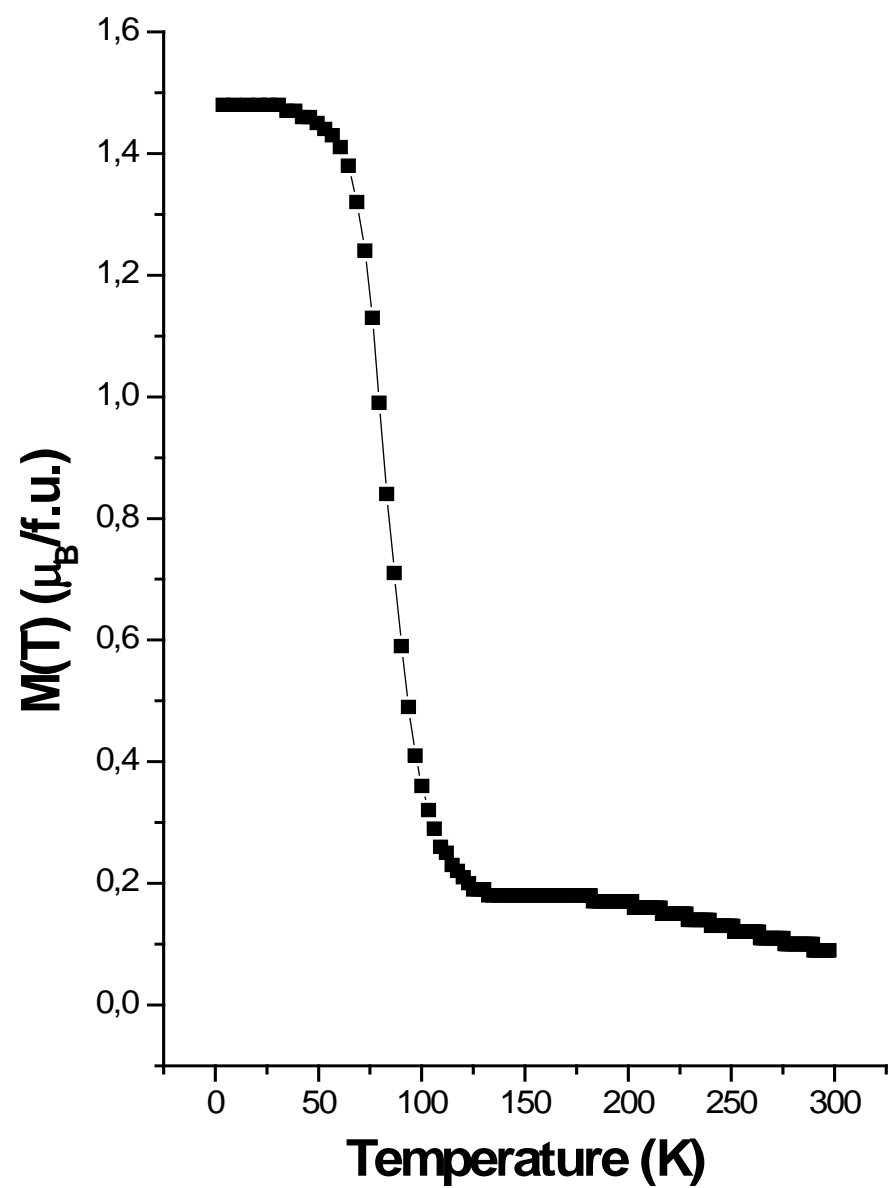
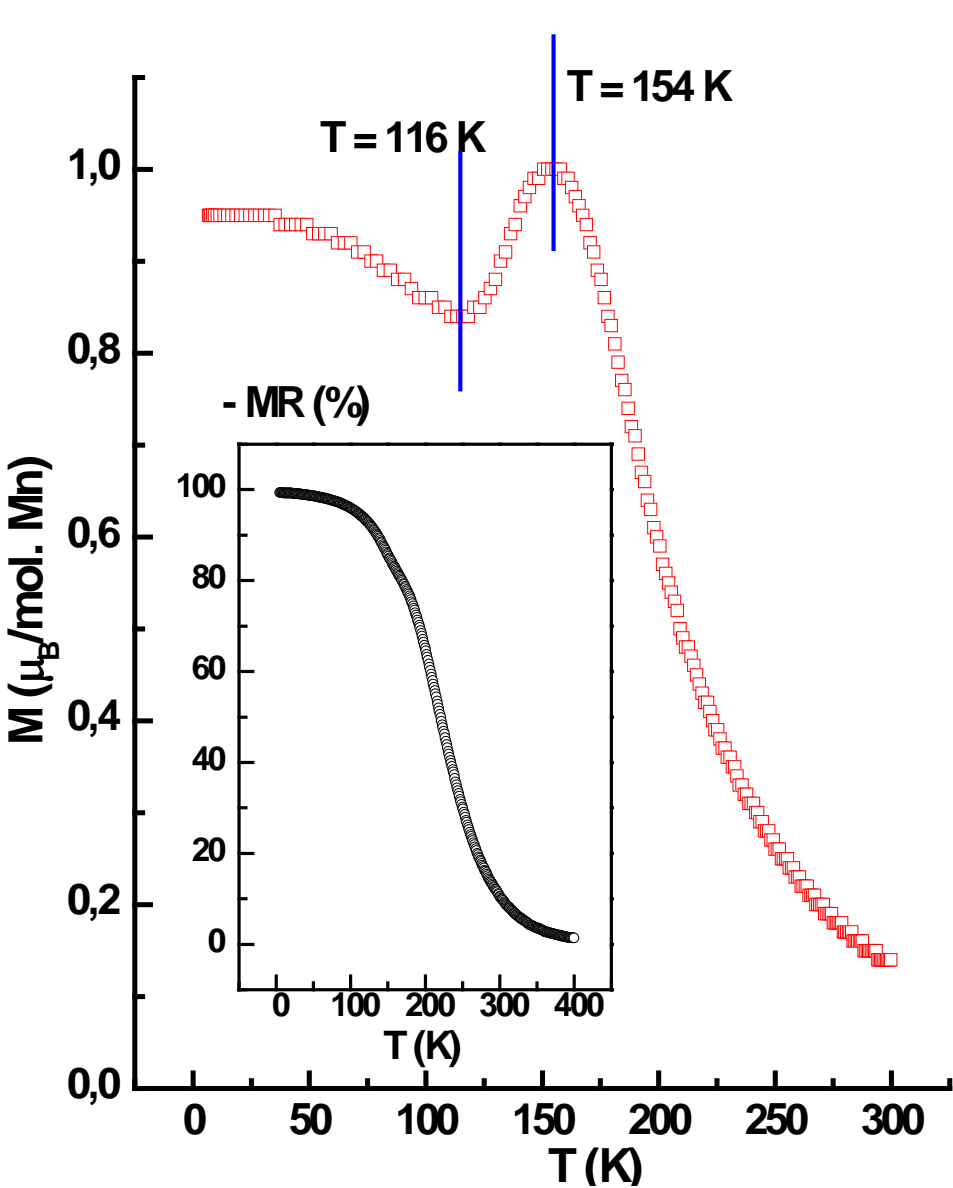
Fig.1. Phase diagrams of  $\text{Sm}_{1-x}\text{Sr}_x\text{MnO}_3$ : FMM(I), ferromagnetic metal(insulator); CO, charge-ordered insulator; AFMI - antiferromagnetic insulator phase with no long-range JT order. [C. Martin et al. PRB 60 (1999) 12191].



**Fig.3.**  $T$ -dependence of SPSMO resistance at  $H=0$ ;  $7\text{T}$  in direct and reverse  $T$ -scan. Red line presents fit of  $\rho(T)$  by polaron model. Insert presents  $\rho$  in other coordinates.

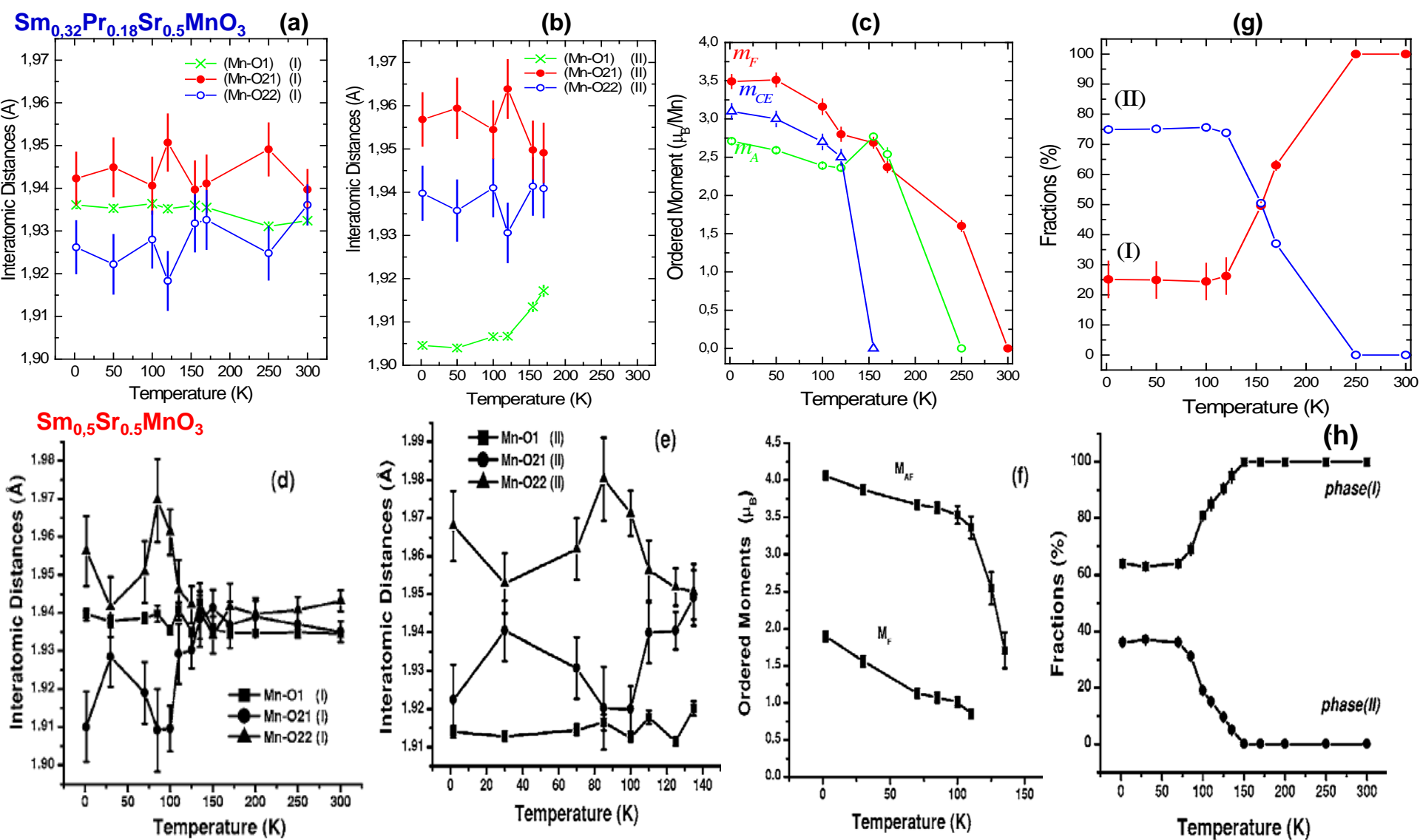


**Fig.4.**  $T$ -dependences of SSMO resistance at  $H = 0$ ;  $7\text{T}$ . Red line presents fit of  $\rho(T)$  by polaron model. Insert presents  $\rho(T)$  in other coordinates. [Kurbakov et al. PRB 72, 184432 (2005)]



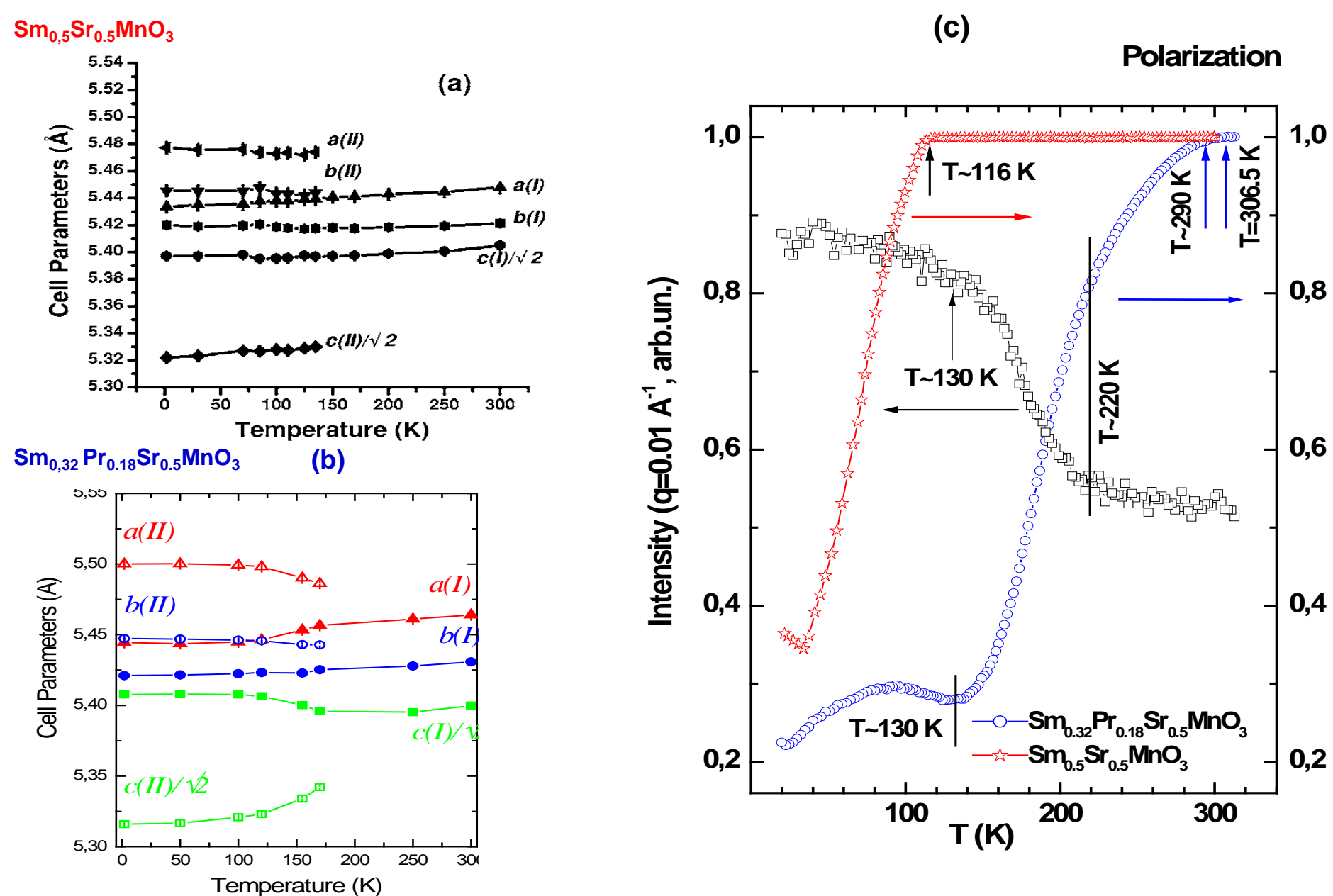
**Fig.5.**  $T$ -dependences of  $M$  and  $\text{MR} = \{[\text{R}(H) - \text{R}(0)]/\text{R}(0)\} * 100\%$  (insert) in SPSMO.

**Fig.6.**  $T$ -dependences of  $M$  in SSMO [Kurbakov et al. PRB 72, 184432 (2005)].



**Fig.7.  $T$ -dependences of interatomic distances (a),(b); (d),(e); moments of different magnetic phases (c), (f); and fractions of structural phases (g), (h) for  $\text{Sm}_{0.32}\text{Pr}_{0.18}\text{Sr}_{0.5}\text{MnO}_3$  (I – $Pbnm$ ; II – $P2_1/m$ ; difference in Mn-O distances for two Mn sites is rather small (deviation of monoclinic angle from  $90^\circ$  is small) and we present here average data) and  $\text{Sm}_{0.5}\text{Sr}_{0.5}\text{MnO}_3$  (both phases exhibit  $Pbnm$  space group). In phase I JT distortions are close to that in pure FM  $\text{Sm}_{0.55}\text{Sr}_{0.45}\text{MnO}_3$  [Kurbakov et al. Fiz.Tv.Tela 46 (2004) 1650].**





**Fig.8.**  $T$ -dependences of unit cell parameters (a),(b) for  $\text{Sm}_{0.32}\text{Pr}_{0.18}\text{Sr}_{0.5}\text{MnO}_3$  (I -  $Pbnm$ ; II -  $P2_1/m$ ) and  $\text{Sm}_{0.5}\text{Sr}_{0.5}\text{MnO}_3$  (both phases exhibit  $Pbnm$  space group). Panel (c) presents the data on *polarization* for both samples and *small angle polarized neutrons scattering* (SAPNS) for the former.



## **Second harmonic of magnetization, $M_2$ of nonlinear response in longitudinal geometry: parallel steady and ac - harmonic magnetic fields ( $H(t) = H + h \cos \omega t$ )**

- When  $M_2 \propto h^2$ ,  $M_2(\omega, H) = \chi_2(\omega, H) h^2$ ,  $\chi_2$  – susceptibility of second order with static limit
- $\chi_2(0, H) = \text{Re}\chi_2(0, H) = (1/2)\partial^2 M(H)/\partial H^2$ ,  $\text{Im}\chi_2(0, H) = 0$ . In isotropic case from Bloch eq.

$$\chi_2(\omega) = \Gamma(-i2\omega + \Gamma)^{-1} \chi_2(0) - i\omega(\partial\Gamma/\partial H)\{(-i2\omega + \Gamma)(-i\omega + \Gamma)\}^{-1} \chi_1(0). \quad (1)$$

**The first term in  $\chi_2(\omega)$  is due to nonlinearity of  $M(H)$ . It gives main contribution to  $\text{Re}M_2$ . Second term is owing to effect of external magnetic field on relaxation processes. It gives main contribution to  $\text{Im}M_2$  and its sign is opposite to that of  $\text{Re}M_2$ .**

- $M_2$  - pseudovector and even function of  $h \Rightarrow M_2(H)$  - odd in  $H$  with  $M_2(0) = 0$  in paramagnetic phase ( $M_2 \propto H$  at  $H \rightarrow 0$ ).

High sensitivity to appearance of spontaneous magnetization, since in this case  $M_2 \neq 0$  at  $H = 0$ .

### **Expectations for $M_2$ in 3D isotropic ferromagnet above $T_C$**

$\omega/\Gamma \ll 1$  ( $\Gamma > 500$  Oe (ESR))  $\Rightarrow \text{Re}M_2(\omega, H) \propto \text{Re}\chi_2(0) \propto \partial^2 M(H)/\partial H^2$ . In weak field regime ( $g\mu H < \Omega(\tau) = kT_C\tau^{5/3}$ ),  $\text{Re}M_2 \propto H\tau^{-14/3}$  (crossover to strong field regime at  $\tau_H = (g\mu H/kT_C)^{3/5} = 2.2 \cdot 10^{-4} \{H = 300 \text{ Oe}, T_C \sim 186 \text{ K}\}$ ,  $T_H \sim T_C + 0.1 \text{ K}$ ).

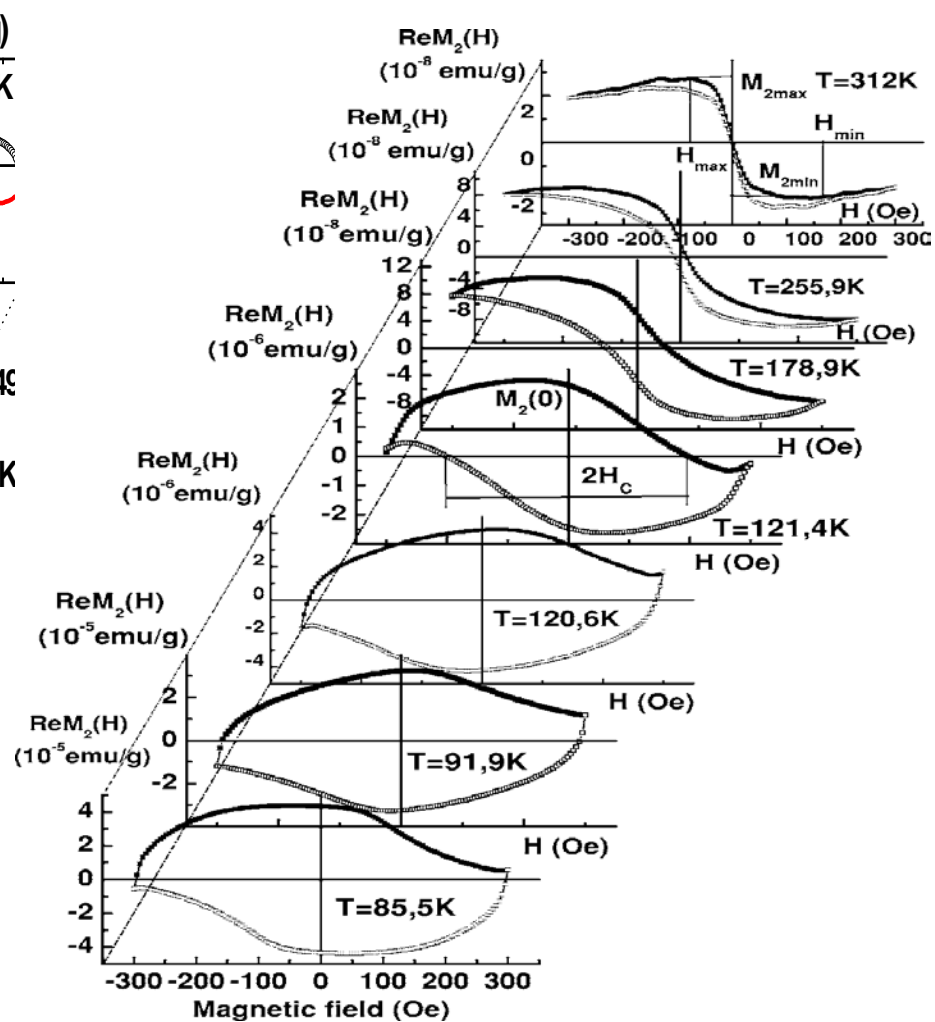
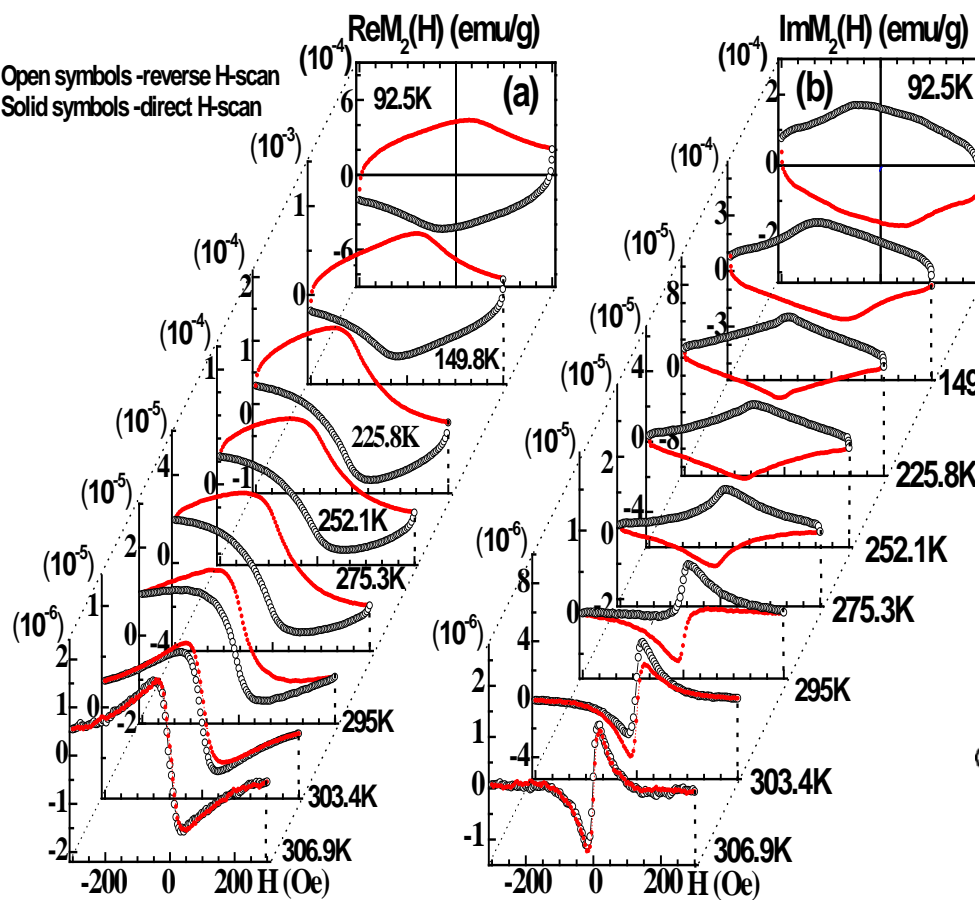
$\text{Im}M_2$  has more complicated behavior (approximately linear in  $H$ ) being related to a spin diffusion mode. In the first approximation  $\text{Im}M_2 \propto H\tau^{-19/6}$ . **Thus:**

**$\text{Re}M_2 \propto H\tau^{-14/3}$ ;  $\text{Im}M_2 \propto H\tau^{-19/6} \cdot G(H, \tau)$ ,  $G$  is known, weakly changed function.**

### **Expectations for $M_2$ of ensemble of non-interacting FM clusters possessing by large magnetic moment**

**They should exhibit large nonlinearity of  $M(H)$  in a weak  $H$  due to their large moment. This will provide  $M_2$  signal with extremum in weak field.** Above  $T_C$ , the latter can be easily distinguished from linear on  $H$  response of matrix.

**The regime of magnetic behavior of FM clusters (superparamagnetic (SPM)/ hysteretic with dynamic  $H$ -hysteresis) will depend on relation of cluster anisotropy energy ( $E_{\text{an}} = Kv$ ,  $K$  - effective anisotropy constant,  $v$  - average volume of clusters) and thermal fluctuations.**

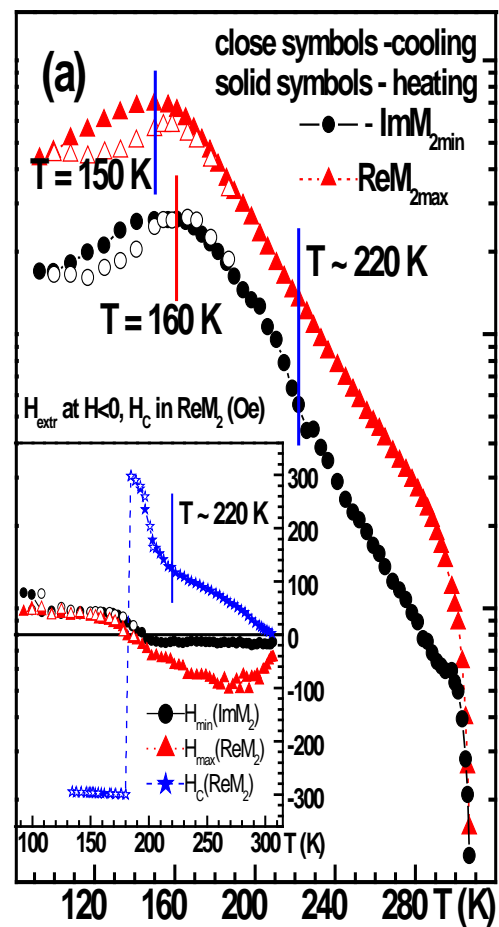


(a)  $\text{Sm}_{0.32}\text{Pr}_{0.15}\text{Sr}_{0.5}\text{MnO}_3$

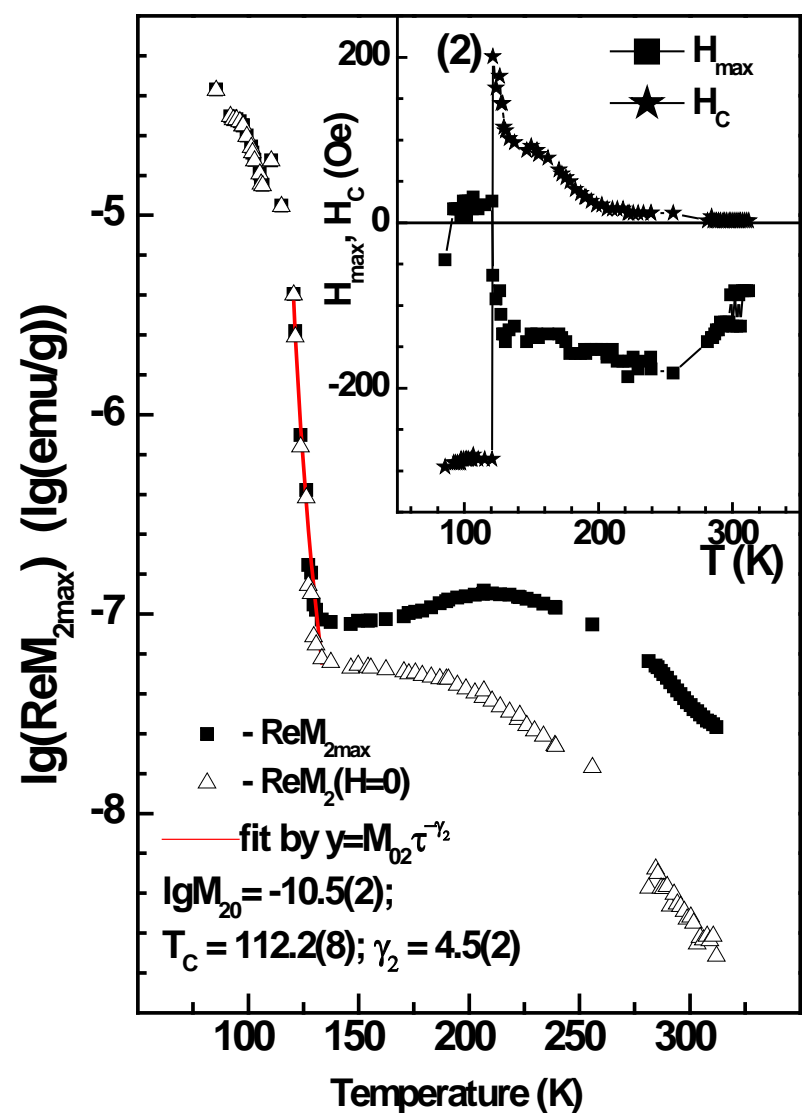
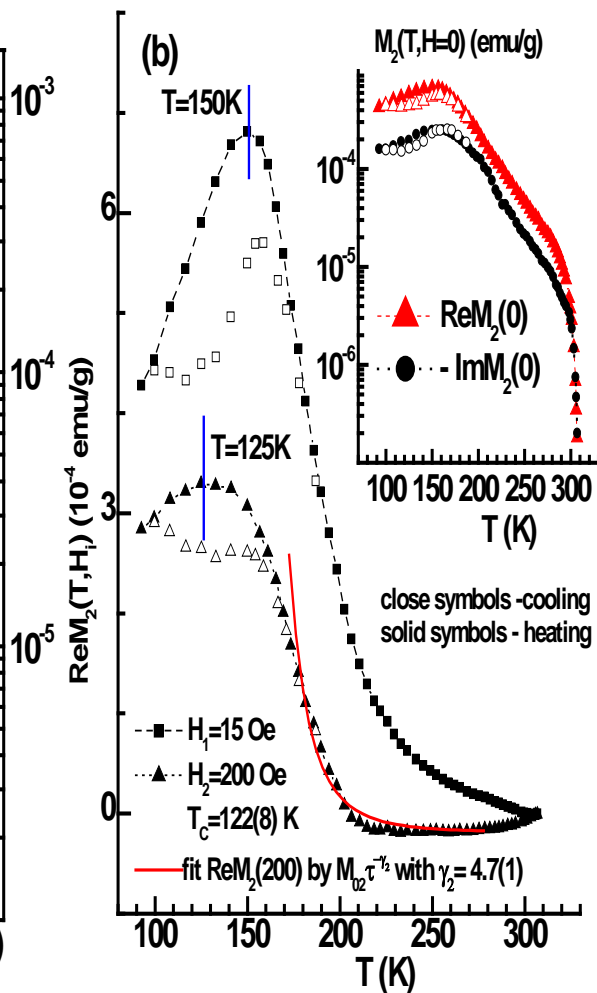
(b)  $\text{Sm}_{0.5}\text{Sr}_{0.5}\text{MnO}_3$

Fig.9. Phase components of second harmonic of magnetization,  $M_2$ , of NLR as functions of the steady field  $H$  at some  $T$ : (1) for SPSMO ( $T^* > 307\text{K} > T_C \sim 125\text{K}$ ;  $T_{\text{coal}} \sim 270\text{K}$ ) - panel (a); (2) for SSMO ( $T^* \sim 312\text{K} > T_C \sim 110\text{K} > T_{\text{IM}} \sim 54\text{K}$ ;  $T_{\text{coal}} \sim 120\text{K}$ ) - panel (b). Concentrations of clusters become close at temperatures of depolarization beginning.  $M_2$  signal from cluster subsystem in critical region of matrix P-FM transition is too large and masks matrix signal.

$M_{2extr}$  at  $H < 0$  (emu/g)



$\text{Sm}_{0.32}\text{Pr}_{0.15}\text{Sr}_{0.5}\text{MnO}_3$



$\text{Sm}_{0.5}\text{Sr}_{0.5}\text{MnO}_3$

**Fig.10.**  $T$ -dependences of  $M_2$ -response parameters for **SPSMO** (left panel) and **SSMO** (right panel) compounds. For first sample Panel (a) shows values of  $M_2$  in extremes,  $M_{ext}$ ; insert in (a) presents positions of extreme,  $H_{ext}$ , and “coercive force”  $H_C$ ; Panel (b) shows cross-sections of  $\text{Re}M_2(H, T)$  at  $H = 15; 200$  Oe, fit of the latter by scaling law; inset displays value of  $\text{Re}(\text{Im})M_2$  at  $H=0$ . For **SSMO**, right panel presents  $\text{Re}M_2$  value in extreme, its fit and  $\text{Re}M_2(H=0)$  characterizing  $H$ -hysteresis; in shows positions of extreme,  $H_{max}$  and “coercive force”  $H_C$  in  $\text{Re}M_2$ .

Description of SPM clusters magnetic dynamics is based on Gilbert stochastic equation (it is analog of Lanzheven diffused equation) [J. L. Garcia-Palacios, Adv. Chem. Phys. **112**, **1** (2007)]:

$$\frac{d\mathbf{m}}{dt} = \gamma \mathbf{m} \times \left[ \mathbf{B}_{eff}(t) + \mathbf{b}_{fl}(t) - (\gamma m)^{-1} \alpha \frac{d\mathbf{m}}{dt} \right]$$

Here  $\mathbf{m}$  –cluster magnetic moment,  $\mathbf{B}_{eff} = \partial V / \partial \mathbf{m}$  is effective magnetic field,  $V(t)$  –magnetic potential,  $\mathbf{b}_{fl}$  is a weak fluctuating magnetic field.

Kinetics of FM cluster ensemble is obeyed to Fokker-Planck equation [S.V. Titov et al. PRB **82**, **100413(R)** (2010)]:

$$2\tau_N \frac{\partial W}{\partial t} = \frac{\beta}{\alpha} \mathbf{u} \cdot (\nabla V \times \nabla W) + \nabla(\nabla V + \beta W \nabla V) \quad (3)$$

The first term in right part of (3) describes a precession. The second term describes a rotational diffusion of unit vector  $\mathbf{u} = \mathbf{M}_s / M$  of magnetization  $\mathbf{M}_s$  and is responsible for thermal relaxation.

Here  $W$  – nonequilibrium distribution function of probability density for directions  $\mathbf{u} = \mathbf{M}_s / M$ ;  $\nabla = \partial / \partial \mathbf{u}$  – gradient operator;  $\beta = v / k_B T$ , where  $v$  – cluster volume,  $k_B$  - Boltzmann constant,  $T$  – temperature. diffusion relaxation time is taken in form of Landau-Lifshitz  $\tau_N = \tau_0 / \alpha$ , where  $\alpha$  – damping factor and  $\tau_0 = \beta M_s / 2\gamma$  ( $\gamma$  – gyromagnetic ratio).

$\tau_N$  is the characteristic time of diffusion in absence of potential.

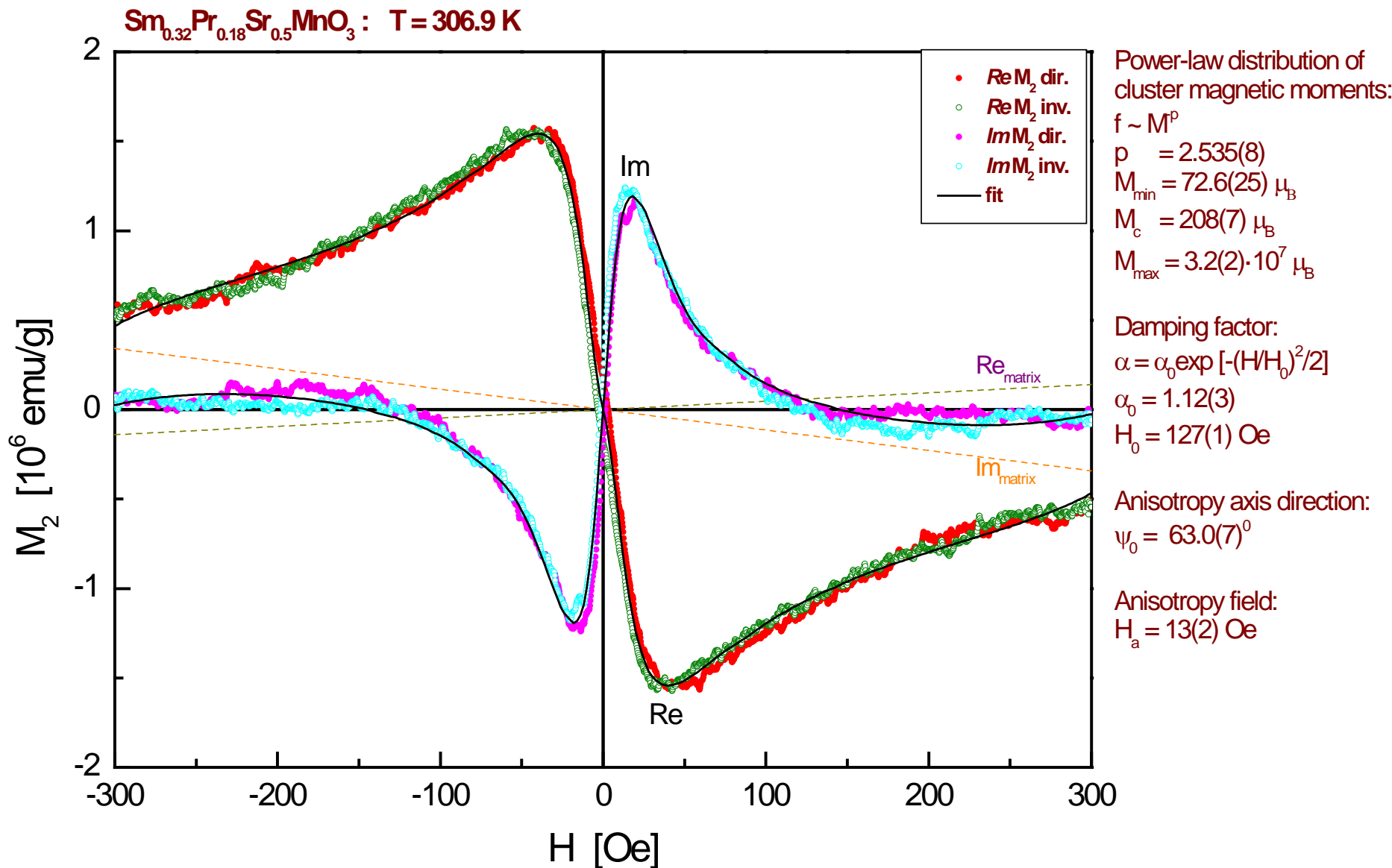
Magnetic potential  $V$  is usually implied uniaxial [H. El Mrabti et al. J. Appl. Phys. **110**, **023901** (2011)]:

$$\beta V = \sigma \sin^2 \vartheta - \xi_H \mathbf{u} \cdot \frac{\mathbf{H}}{H} - \xi_h \mathbf{u} \cdot \frac{\mathbf{h}}{h} \cos \omega t, \quad (4)$$

Here  $\xi_H = \beta M_s H$  and  $\xi_h = \beta M_s h$ ;  $\mathbf{H}$  and  $\mathbf{h}$  – steady and AC magnetic fields accordingly. The first term in(4) – anisotropy energy with  $\sigma = \beta K_a$ , where  $\beta = v / k_B T$ ,  $K_a$  – effective constant of anisotropy, including magneto-crystal anisotropy, form anisotropy and surface one;  $\vartheta$  - angle between anisotropy axis and magnetization, second and third terms – Zeeman energy.

Decision for distribution function:

$$W(t, \vartheta, \varphi) = \sum_{l=0}^{\infty} \sum_{m=-l}^l c_{lm}(t) Y_{lm}(\vartheta, \varphi)$$



**Fig.11. Fit of SPSMO compound  $M_2$ -response by decision of Fokker-Plank equation.  $T = 306.9\text{K}$ . Power-law distribution of clusters was used. Since a presence of a weak  $H$ -hysteresis the curves  $(\text{Re}(\text{Im})M_{2\text{dir}} + \text{Re}(\text{Im})M_{2\text{rev}})/2$  were fitted. The dynamical parameters can be found by this approach only.**

**Peter the Great SPb Polytechnic University cluster was used in these calculations.**

## **Заключение**

**I.** Нейтронная дифракция показывает сходную эволюцию структуры в SSMO и SPSMO образцах: присутствует структурный переход из орторомбической псевдокубической фазы с небольшими ЯТ искажениями I в низкотемпературную фазу II с существенно большими искажениями и орбитальным порядком (орторомбическую и моноклинную соответственно). Дальний ФМ порядок образуется только в фазе I. Фаза II испытывает АФ упорядочение А-типа в SSMO и комбинацию А- и псевдо СЕ-типов упорядочения в SPSMO образце. Отметим, что похожий сценарий эволюции структуры наблюдался и в  $\text{Pr}_{0.5}\text{Sr}_{0.5}\text{MnO}_3$  манганите [Damay et al. JMMM 184 (1998) 71].

**II.** Оба образца обладают свойством КМС, при этом SSMO испытывает И-М переход, а SPSMO – нет. Данные по  $M(T)$  определенно указывают на присутствие АФ упорядочения во 2-м образце.

**III.** Зависимость поляризации от  $T$  разительно отличается: в то время как в SSMO деполяризация лишь в области ниже 120 К, в SPSMO она стартует с 307 К. Измерения SAPNS ( $q = 0.01 \text{ \AA}^{-1}$ ) позволили отследить развитие структурного перехода в SPSMO.

**IV.** Измерения  $M_2$  показали, что образование кластеров, обладающих ФМ компонентой начинается выше комнатной температуры ( $T^* > 310 \text{ К}$ ). Однако в SSMO их концентрация растет очень слабо, показывая широкий максимум и затем уменьшение, и остается  $\sim$  на 2 порядка ниже, чем в SPSMO вплоть до  $T \sim 120 \text{ К} < T_C$ , ниже которой начинается деполяризация. В то же время в SPSMO деполяризация начинается практически сразу ниже 320 К, а концентрация кластеров быстро растет и сопровождается их коалесценцией. Это приводит, по-видимому, к перколяционному И-М переходу в отдельных кристаллитах образца с фазой I, сопровождающемуся образованием дальнего ФМ порядка перколяционного типа, который проявляется в ND при  $T \sim 270 \text{ К}$ . Это подтверждает отсутствие И-М перехода во всем образце, предположительно за счет малого количества этой фазы ( $< 20\%$ ). КМС наблюдается, по-видимому, за счет метамагнитного перехода («плавления» АФ фазы) под действием поля в кристаллитах с фазой II. Необычное поведение кластеров в SSMO можно объяснить АФ характером (с присутствием заметной ФМ компоненты) их упорядочения.

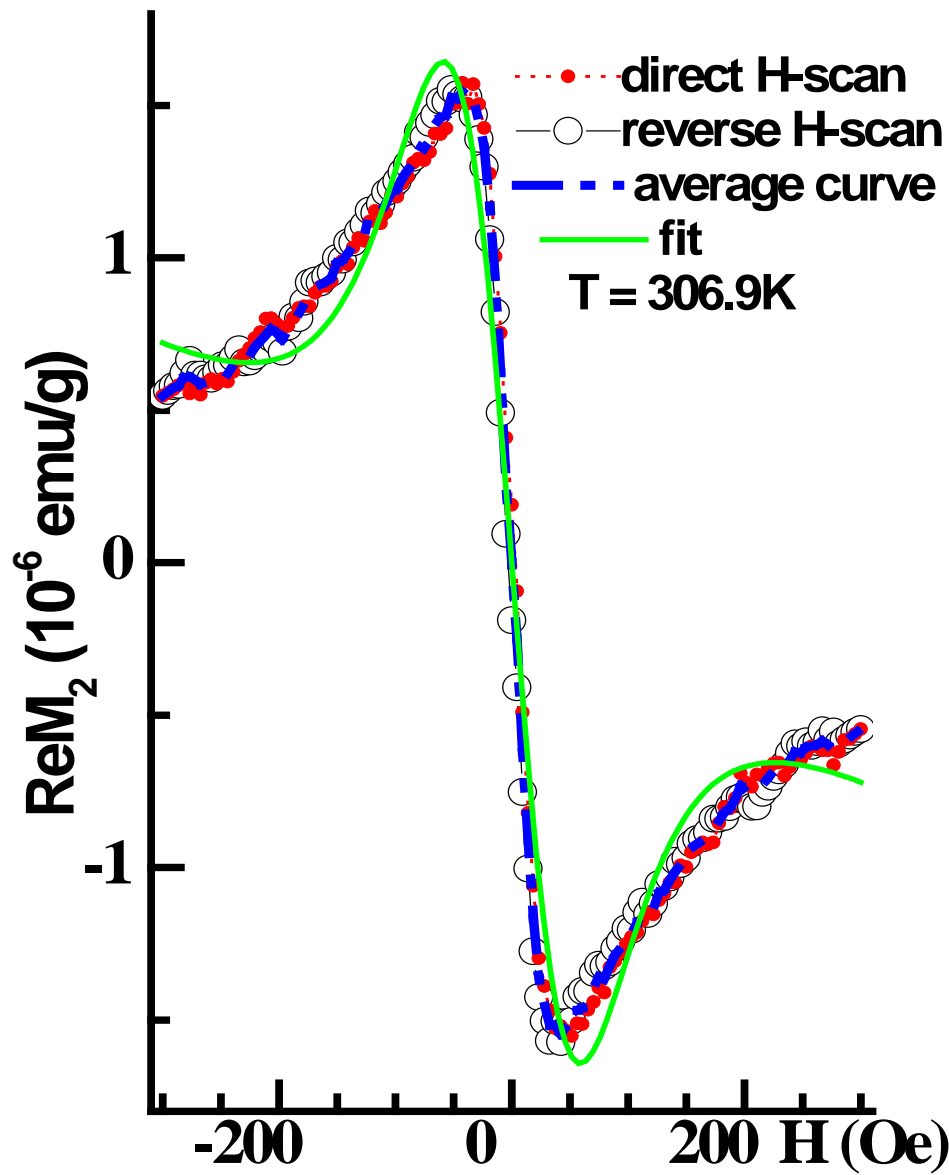
Вносимый изовалентным замещением слабый дополнительный беспорядок, по-видимому, способствует образованию ФМ кластеров.

**V.** Использование кинетического уравнения Фоккера-Планка для анализа  $M_2$  отклика в области его безгистерезисного поведения (суперпарамагнитный режим поведения кластеров) с использованием данных деполяризации нейтронов позволяет, в принципе, определить геометрические и динамические параметры кластеров. В случае SPSMO состава анализ указывает на степенную функцию распределения размеров кластеров с показателем 2.55 (фрактальная размерность кластеров), что нуждается в дальнейшей проверке.

**THE END**

**Thank you for your attention**





**Fig.12.** Fit of SPSMP compound  $\text{Re}M_2$ -response by Eq. 1 in static limit with  $M$  described Lanzaheven function + linear on  $H$  response of matrix.  $T = 306.9\text{K}$ .  $\mu \sim 1.1 \cdot 10^5 \mu_B$ ,  $N_{\text{Cl}} \sim 1.5 \cdot 10^{14} \text{ 1/g}$ .

## Full Hamiltonian

$$H = H_{\text{kin}} + H_{\text{Hund}} + H_{\text{AFM}} + H_{\text{el-ph}} + H_{\text{el-el}} ;$$

there are five important ingredients that regulate the physics of electrons in manganites:

- (i)  $H_{\text{kin}}$  - the kinetic term of the  $e_g$  -electrons.
- (ii)  $H_{\text{Hund}}$  - the Hund coupling between the  $e_g$ -electron spin and the localized  $t_{2g}$ -spin.
- (iii)  $H_{\text{AFM}}$  - the AFM Heisenberg coupling between nearest-neighbor  $t_{2g}$  -spins.
- (iv)  $H_{\text{el-ph}}$  - the coupling between the  $e_g$ -electrons and the local distortions of the  $\text{MnO}_6$  octahedron.
- (v)  $H_{\text{el-el}}$  - the Coulomb interactions among the  $e_g$ -electrons ( $\approx 0.7$  eV).

This expression is believed to define an appropriate starting model for manganites, but, unfortunately, it is quite difficult to solve such a Hamiltonian of manganites, and some simplifications are usually used.

*One-orbital double-exchange model (Zener, 1951; Furukawa, 1994)*

$$H_{\text{DE}} = -t \sum_{\langle i,j \rangle, \sigma} (a_{i\sigma}^{T*} a_{j\sigma} + h.c.) - J_H \sum_i S_i S_j + J_{AF} \sum_{\langle i,j \rangle} S_i S_j$$

$t \approx 0.3$  eV;  $J_H \approx 1$  eV;  $J_{AF} \approx 0.01$  eV;

where  $a_i$  is the annihilation operator for an electron with spin  $\sigma$  at site  $i$ , but without orbital index. Note that  $H_{\text{DE}}$  is quadratic in the electron operators, indicating that it is reduced to a one-electron problem eg spin  $S_i = \frac{1}{2} \sum_{\alpha\beta} a_{i\alpha}^\dagger \gamma_{\alpha\beta} a_{i\beta}$  on the background of localized  $t_{2g}$  spins  $S$ .

In absence of external magnetic field cluster moments are oriented along anisotropy axis, the moment of ensemble being  $M = 0$ . To reach thermal equilibrium at field turning on, magnetic moments of part of ensemble should change their orientation on angle  $\pi$ . The latter is required the transition across barrier (Fig.7) under action of thermal fluctuation. The relaxation time is described by Neel-Brown expression:

$$\tau = \tau_0 \exp(\Delta E_B / kT), \quad \Delta E_B = K_a v \quad (3)$$

Here  $K_a$  is effective anisotropy constant,  $v$  – cluster volume,  $\tau_0 \sim 10^{-10}$  s. Transition from superparamagnetic regime to blocking one, which is characterized by hysteresis arising in  $M(H)$  and  $M_2(H)$  is determined by condition:  $\tau_{meas} \approx \tau$ , from which the blocking temperature can be found:

$$T_B \approx K_a v / [k \cdot \ln(\tau_{meas} / \tau_0)] \quad (4)$$

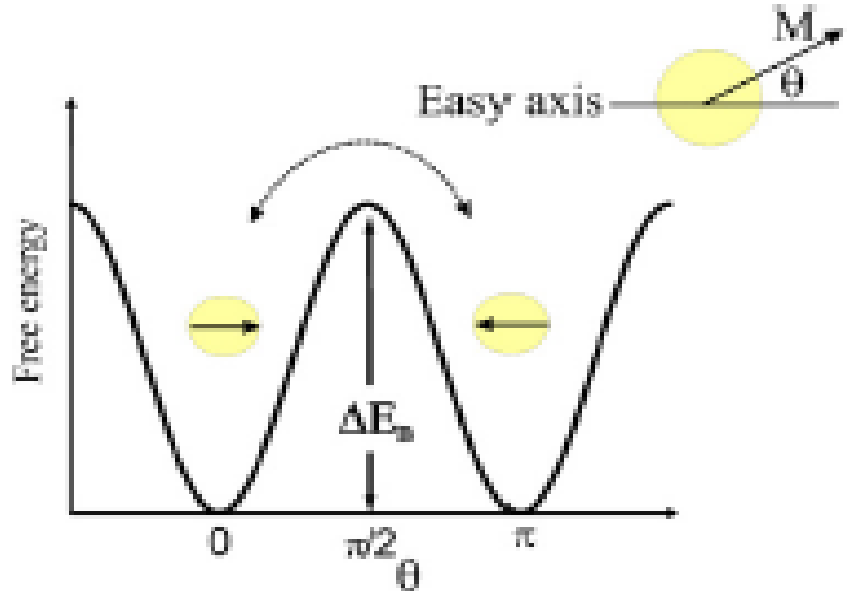


Fig. 7. Schematic picture of the free energy of a single-domain particle with uniaxial anisotropy as a function of magnetization direction.  $\Delta E_B$  is the energy barrier hindering the free rotation of the magnetization and  $\theta$  is the angle between the magnetization  $M$  and the easy axis. [S. Bedanta and W. Kleemann. J.Phys.D: App,Phys. 42 (2009) 013001].

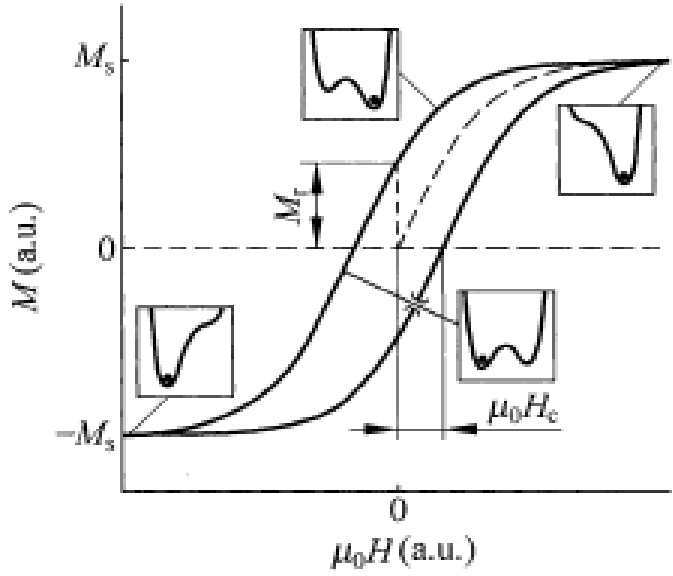


Fig.8. Magnetic hysteresis: (a) origin and phenomenology of hysteresis. The insets are energy-landscape equivalents of the magnetization

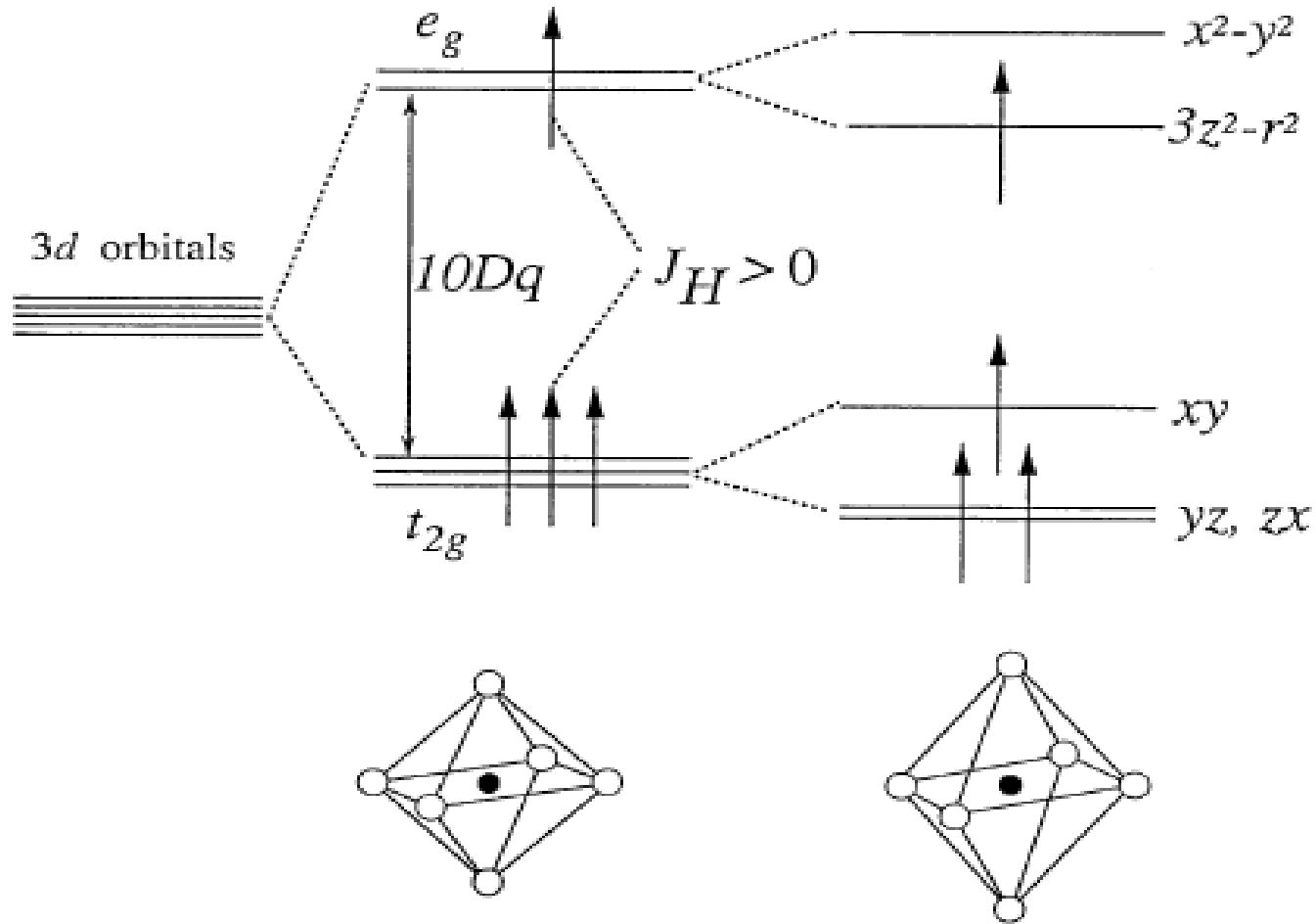
Inserts in Fig. 8 show schematically a change of barrier for FM clusters in two-well potential in presence of external magnetic field:

$$\Delta E_B = K_a v + \mu H(t). \quad (5)$$

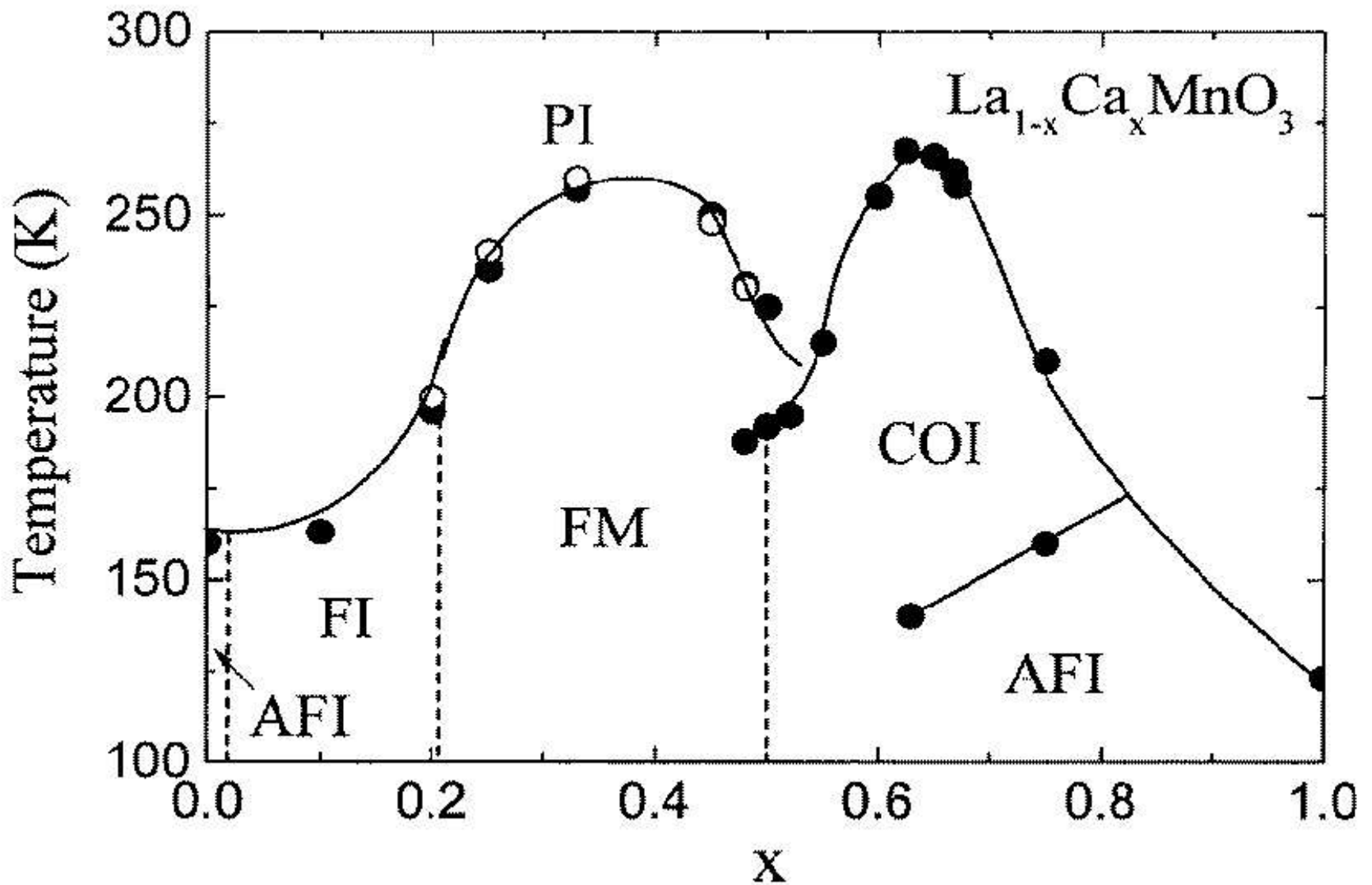
Thus, relaxation time (3) will be function of external field, and in  $M_2(H, T)$  will appear high harmonics provided by this parametrics.

From expression (4) is clear the dependence of blocking temperature  $T_B$  on cluster dimension, and  $H$ -hysteresis of  $M_2(H)$  response on frequency of  $H$ -scan,  $F_{sc}$ , of steady field  $H$ . For the latter, in case of signal accumulation at periodic  $H$ -scan the time of measurement is  $\tau_{meas} = 1/F_{sc}$ .

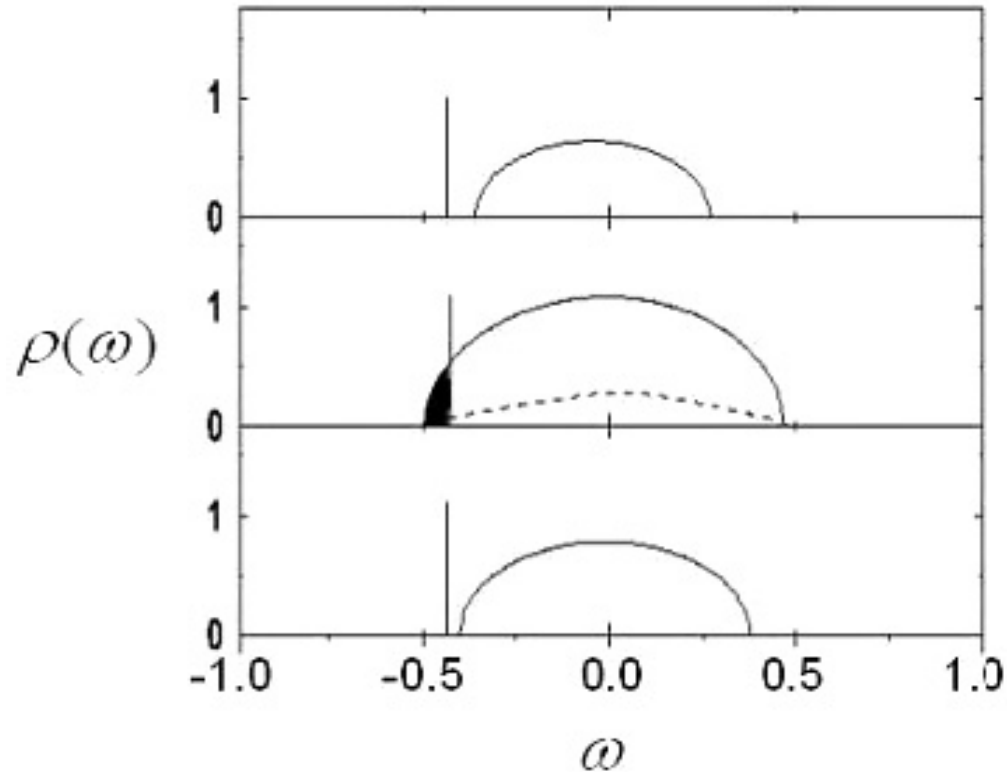
# Электронная структура ионов Mn



Field splitting of the five-fold degenerate atomic 3d levels into lower  $t$  and higher  $e$  levels. The particular Jahn-Teller distortion sketched in the figure further lifts each degeneracy as shown.  $J_{CF} \sim 2$  eV,  $J_H \sim 2 - 3$  eV,  $J_{JT} \sim 0.5$  eV,  $t \sim 0.3$  eV.



Magnetic and electronic phase diagram versus doping  $x$  for  $\text{La}_{1-x}\text{Ca}_x\text{MnO}_3$  (medium band width). [Schiffer P., Ramirez A. P., Bao W. and Cheong S-W. *Phys. Rev. Lett.* **75**, 3336 (1995)]



Two band model.

Spectral density ( $E_{JT} = -0.5$  eV,  $D = 1.2$  eV,  $U = 5$  eV,  $J_F = 2$  meV) : (a)  $x = 0.1$ ,  $T = 0$  (FI), (b)  $x = 0.3$ ,  $T = 180$  K ( $< T_C = 240$  K) (FM), occupied band states are shown shaded, (c)  $T = 350$  K (PI). Vertical line is the  $l$  polaron level.

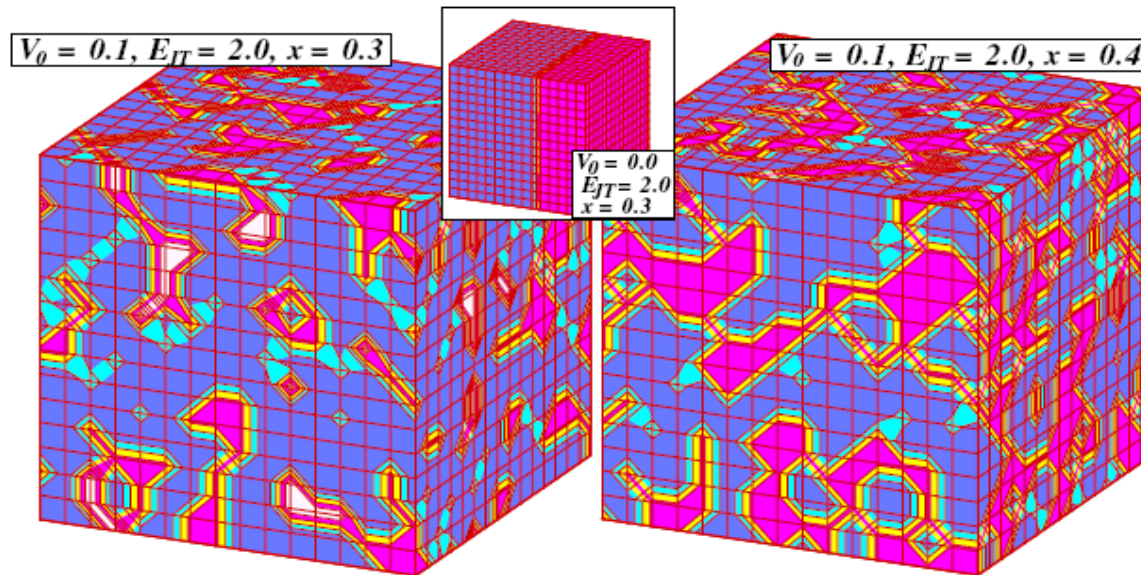


FIG. 1 (color online). Real space electronic distribution obtained from simulations on a  $16^3$  cube. Magenta (darkest) denotes hole clumps with occupied  $b$  electrons, white (lightest) denotes hole clumps with no  $b$  electrons, cyan (2nd lightest) denote singleton holes, and light blue (2nd darkest) represents regions with  $\ell$  polarons. Left: Isolated clumps with occupied  $b$  electrons ( $b$ -electron puddles). Right: Larger doping; percolating clumps. Inset: “macroscopic phase separation” absence of long range Coulomb interaction ( $V_0 = 0.0$ ).



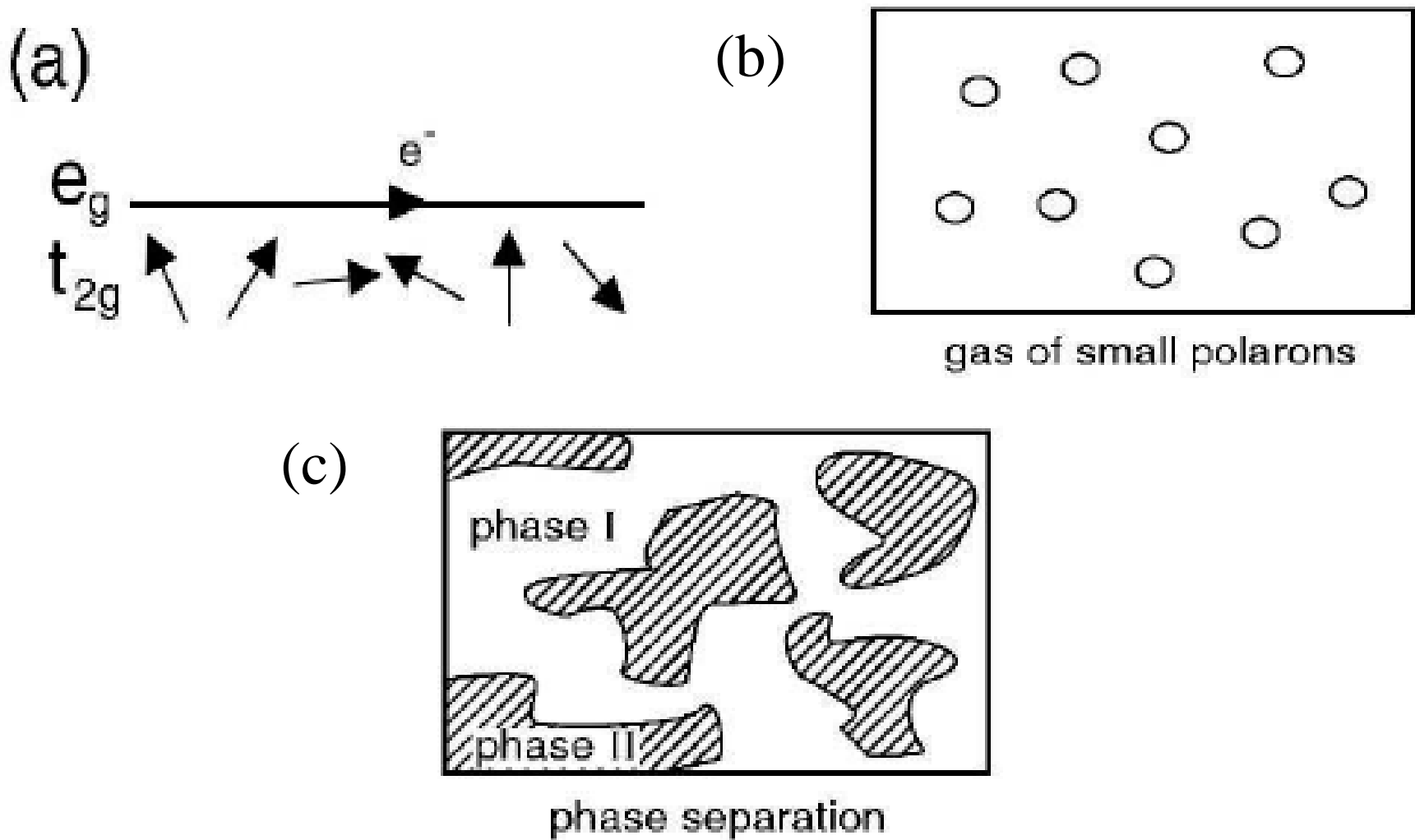
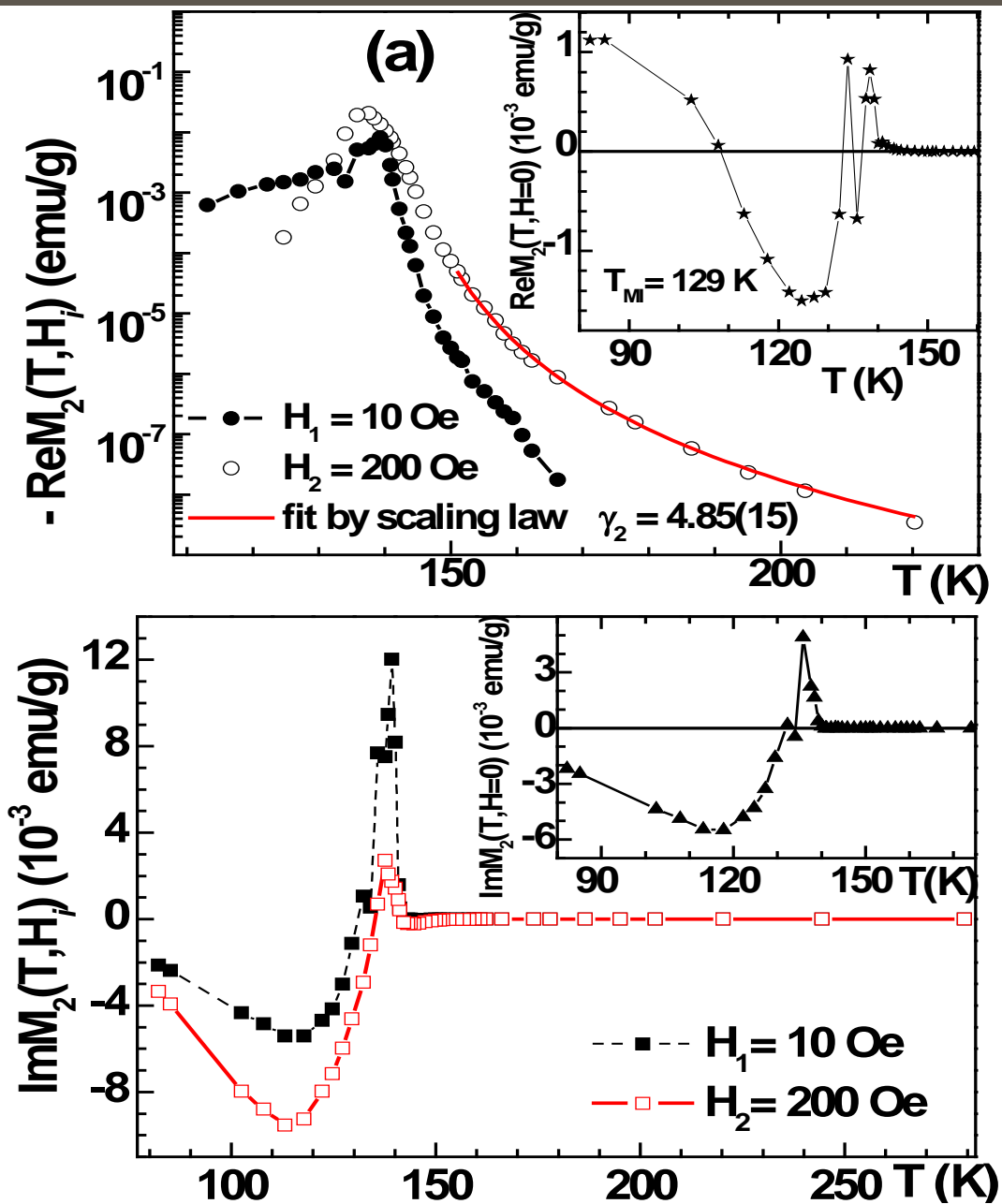


FIG. 4. Schematic representation of theories for manganites. (a) is a simple “double exchange” scenario, without phase competition. (b) is based on a gas of polarons above the Curie temperature  $T_C$ , also without phase competition. In (c), a phase-separated state above the ordering temperatures is sketched.



**$\text{Nd}_{0.7}\text{Ba}_{0.3}\text{MnO}_3$ :  $\text{Re} M_2(H, T)$  и  $\text{Im} M_2(H, T)$  при разных значениях  $H$ : На вставках приведены зависимости  $\text{Re}M_2(H = 0, T) \propto M_{\text{sp}}$  и  $\text{Im}M_2(H = 0, T)$ .**